

# LFR status

- Ground segment software (**status**)
- k-coefficients (**SCM 'new' alignment**)
- Spectrograms of FFT data (**overview**)

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# LFR ground segment software (1)



- **Last version of lfr-calbut (0.6.2.1) was integrated to ROC pipeline.** This integration leads to several modifications of the software. These modifications were reported in a new version of the user guide (**not yet delivered**).
- **Some checks need to be done for ASM.** Indeed, ASM obtained by ROC differ from test data.



## LFR ground segment software (2)



### Products:

#### Calibration tables (RCT)

- Produced calibration tables for BIAS, SCM (and VHF).

#### Waveforms products (CWF, SWF)

- L1 to L1R pipeline is operational. It produces :
  - ◆ CWF in SBM1, SBM2 and SURV mode.
  - ◆ SWF in SURV mode.



## Products:

### Spectral products (Averaged Spectral Matrices)

- L1 to L2 pipeline is operational. It produces ASM in SURV mode.

Some problems were encountered for large file. It should be solve with our new development machine.

### Spectral products (Basic Parameters)

- L1 to L2 pipeline is developed. It produces BP1 and BP2 in SBM1, SBM2 and SURV mode.

We are waiting for LESIA inputs to fully validate these products.



## LFR ground segment software (4)



### Open issues:

How to know which calibration tables to use to perform our calibrations ?

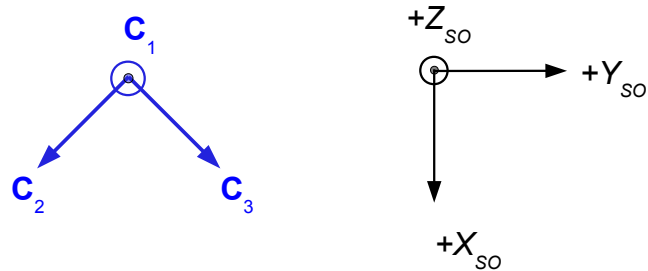
- It was proposed in Kiruna to centralize these information in a dictionary
- Recently, the BIAS team proposed to other teams its method. Should (Could) every teams implement it?



# LFR k-coefficients and geometry

• These coefficients if correctly set would allow to correlate on-board the electric and magnetic signals for an estimate of :

- 1) the (radial)  $X_{SO}$ -component of the Poynting flux;
- 2) the phase velocity of plane waves.

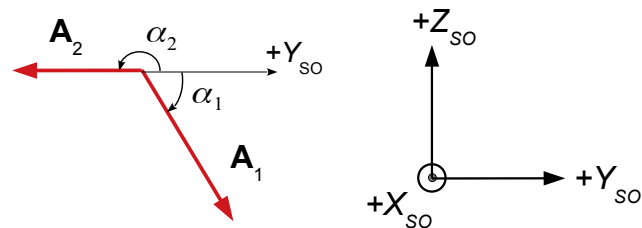


$$B_1(\omega) = [\mathbf{B}(\omega) \cdot \hat{\mathbf{e}}_{X_M}] \times C_1(\omega) = \mathbf{B}(\omega) \cdot \mathbf{C}_1(\omega)$$

$$B_2(\omega) = [\mathbf{B}(\omega) \cdot \hat{\mathbf{e}}_{Y_M}] \times C_2(\omega) = \mathbf{B}(\omega) \cdot \mathbf{C}_2(\omega)$$

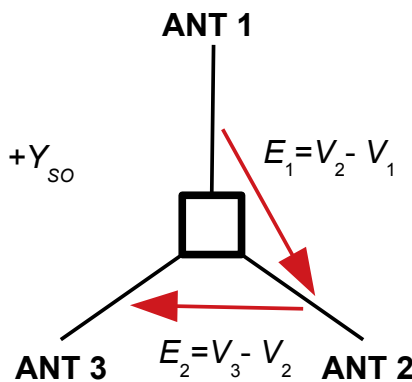
$$B_3(\omega) = [\mathbf{B}(\omega) \cdot \hat{\mathbf{e}}_{Z_M}] \times C_3(\omega) = \mathbf{B}(\omega) \cdot \mathbf{C}_3(\omega)$$

$$\bar{\mathbf{A}}_M = [\mathbf{C}_1, \mathbf{C}_2, \mathbf{C}_3] = \begin{bmatrix} C_{X1} & C_{X2} & C_{X3} \\ C_{Y1} & C_{Y2} & C_{Y3} \\ C_{Z1} & C_{Z2} & C_{Z3} \end{bmatrix}_{SO} \simeq \begin{bmatrix} 0 & C_1 \cos \alpha_M & -C_1 \sin \alpha_M \\ 0 & C_1 \sin \alpha_M & C_1 \cos \alpha_M \\ C_1 & 0 & 0 \end{bmatrix}_{SO}$$



$$E_1(\omega) = [\mathbf{E}(\omega) \cdot \hat{\mathbf{e}}_1] \times A_1(\omega) = \mathbf{E}(\omega) \cdot \mathbf{A}_1(\omega)$$

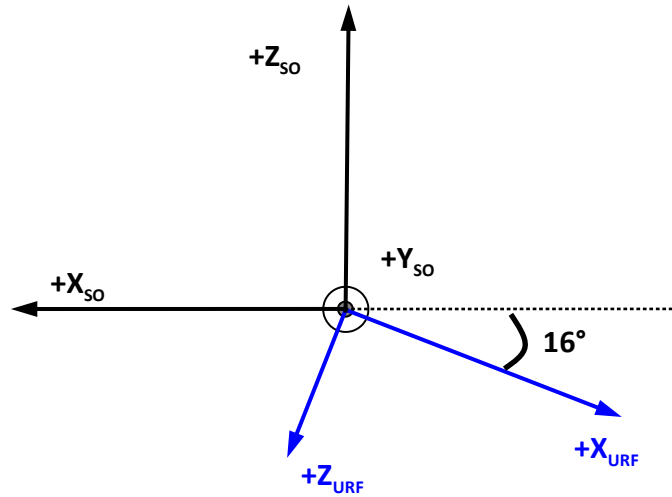
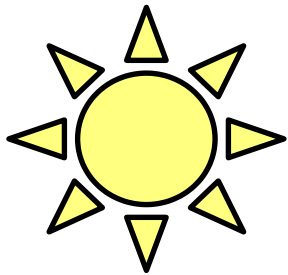
$$E_2(\omega) = [\mathbf{E}(\omega) \cdot \hat{\mathbf{e}}_2] \times A_2(\omega) = \mathbf{E}(\omega) \cdot \mathbf{A}_2(\omega)$$



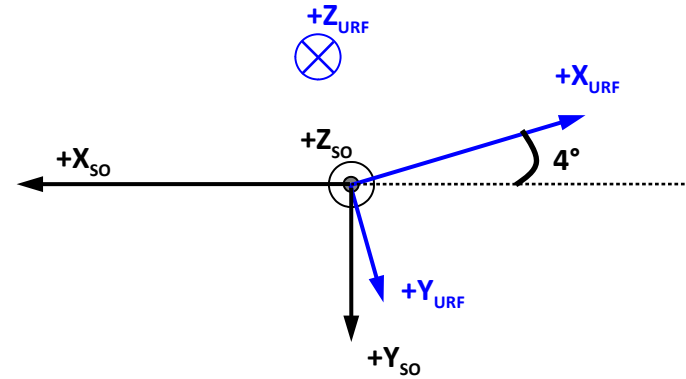
$$\bar{\mathbf{A}}_E = [\mathbf{A}_1, \mathbf{A}_2] = \begin{bmatrix} A_{X1} & A_{X2} \\ A_{Y1} & A_{Y2} \\ A_{Z1} & A_{Z1} \end{bmatrix}_{SO} \simeq \begin{bmatrix} 0 & 0 \\ A_1 \cos \alpha_1 & A_2 \cos \alpha_2 \\ A_1 \sin \alpha_1 & A_2 \sin \alpha_2 \end{bmatrix}_{SO}$$



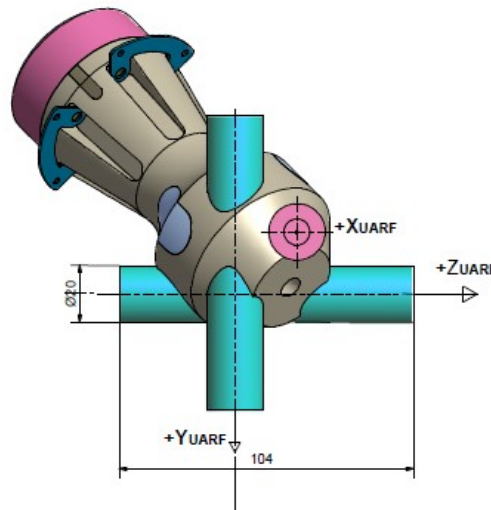
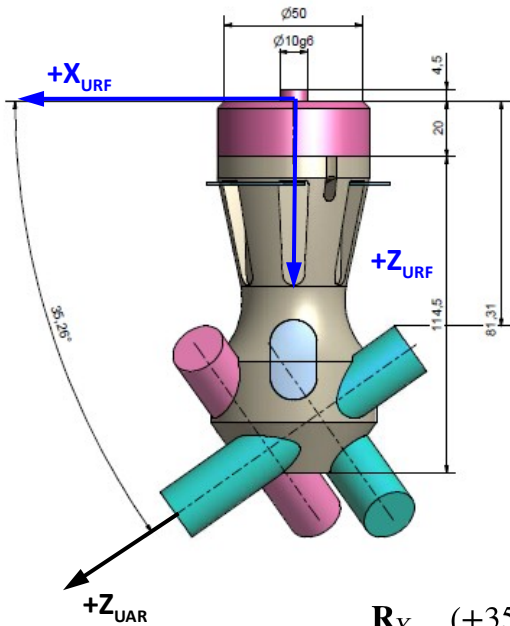
# Current SCM alignment



View from the "side"



View from the "top"



## Transformation matrix from UARF to SO coordinate system

| $X_{UARF}$ | $Y_{UARF}$ | $Z_{UARF}$ |               |
|------------|------------|------------|---------------|
| 0.184872   | 0.279701   | -0.942119  | <sub>SO</sub> |
| 0.733859   | -0.676909  | -0.056959  |               |
| -0.653661  | -0.680852  | -0.330403  |               |

$$\begin{aligned}
 \mathbf{R}_{Y_{URF}}(+35.26^\circ) \cdot \mathbf{Z}_{UARF} &= \mathbf{X}_{URF} \\
 \mathbf{R}_{X_{URF}}(+45^\circ) \cdot \mathbf{R}_{Y_{URF}}(+35.26^\circ) \cdot \mathbf{X}_{UARF} &= \mathbf{Z}_{URF} \\
 \mathbf{R}_{X_{URF}}(+45^\circ) \cdot \mathbf{R}_{Y_{URF}}(+35.26^\circ) \cdot \mathbf{Y}_{UARF} &= -\mathbf{Y}_{URF}
 \end{aligned}$$



# $X_{SO}$ -component of the Poynting flux

[BP1 set 6]

$$\begin{aligned}
 \langle S_X \rangle &= \langle (\mathbf{E} \times \mathbf{B}^*)_X \rangle = \langle E_Y B_Z^* \rangle - \langle E_Z B_Y^* \rangle \\
 &\simeq \left\langle \left( +A_2 \sin \alpha_2 E_1 - A_1 \sin \alpha_1 E_2 \right) \frac{1}{A_1 A_2 \sin(\alpha_2 - \alpha_1)} \frac{B_1^*}{C_1^*} \right\rangle - \\
 &\quad \left\langle \left( -A_2 \cos \alpha_2 E_1 + A_1 \cos \alpha_1 E_2 \right) \frac{1}{A_1 A_2 \sin(\alpha_2 - \alpha_1)} \frac{\sin \alpha_M B_2^* + \cos \alpha_M B_3^*}{C_1^*} \right\rangle \\
 &= \left( +A_2 \sin \alpha_2 S_{41} - A_1 \sin \alpha_1 S_{51} + A_2 \cos \alpha_2 \sin \alpha_M S_{42} + A_2 \cos \alpha_2 \cos \alpha_M S_{43} \right. \\
 &\quad \left. - A_1 \cos \alpha_1 \sin \alpha_M S_{52} - A_1 \cos \alpha_1 \cos \alpha_M S_{53} \right) \frac{1}{A_1 A_2 \sin(\alpha_2 - \alpha_1)} \frac{1}{C_1^*} \\
 &= \frac{\cos \alpha_2 \cos \alpha_M}{\sin(\alpha_2 - \alpha_1)} \left( \frac{\tan \alpha_2}{\cos \alpha_M} S_{41} + \tan \alpha_M S_{42} + S_{43} - \frac{A_1 \cos \alpha_1}{A_2 \cos \alpha_2} \tan \alpha_M S_{52} - \right. \\
 &\quad \left. \frac{A_1 \cos \alpha_1}{A_2 \cos \alpha_2} S_{53} - \frac{A_1 \sin \alpha_1}{A_2 \cos \alpha_2} \frac{1}{\cos \alpha_M} S_{51} \right) \frac{1}{A_1 C_1^*}
 \end{aligned}$$



New determination of the k-coefficients seems possible for taking into account the new antenna alignment ...





# Phase velocity of plane waves

[BP1 set 7]

$$\mathbf{n} \times \mathbf{E} = \frac{\omega}{k} \mathbf{B} \quad \longrightarrow \quad (\mathbf{n} \times \mathbf{E}) \cdot \hat{\mathbf{e}}_{X_{SO}} B_X^* = \frac{\omega}{k} B_X B_X^* = (n_Y E_Z - n_Z E_Y) B_X^*$$

$$\longrightarrow \quad v_\varphi = \frac{\omega}{k} = \frac{n_Y \langle E_Z B_X^* \rangle - n_Z \langle E_Y B_X^* \rangle}{\langle B_X B_X^* \rangle} \quad \begin{cases} n_Y = \sin \alpha_M n_2 + \cos \alpha_M n_3 \\ n_Z = n_1 \end{cases}$$

$$v_\varphi \simeq \left[ n_Y \left\langle (-A_2 \cos \alpha_2 E_1 + A_1 \cos \alpha_1 E_2) \frac{1}{A_1 A_2 \sin(\alpha_2 - \alpha_1)} (\cos \alpha_M B_2^* - \sin \alpha_M B_3^*) \frac{1}{C_1^*} \right\rangle - \right. \\ \left. n_Z \left\langle (+A_2 \sin \alpha_2 E_1 - A_1 \sin \alpha_1 E_2) \frac{1}{A_1 A_2 \sin(\alpha_2 - \alpha_1)} (\cos \alpha_M B_2^* - \sin \alpha_M B_3^*) \frac{1}{C_1^*} \right\rangle \right] /$$

$$\left[ (\cos \alpha_M^2 \langle B_2 B_2^* \rangle + \sin \alpha_M^2 \langle B_3 B_3^* \rangle - 2 \sin \alpha_M \cos \alpha_M \Re[\langle B_2 B_3^* \rangle]) \frac{1}{C_1 C_1^*} \right]$$

$$\longrightarrow = \frac{-\cos \alpha_2 \cos \alpha_M}{\sin(\alpha_2 - \alpha_1)} \frac{C_1}{A_1} \times \left[ n_Y \left( S_{42} - \frac{A_1 \cos \alpha_1}{A_2 \cos \alpha_2} S_{52} - \tan \alpha_M S_{43} + \frac{A_1 \cos \alpha_1}{A_2 \cos \alpha_2} \tan \alpha_M S_{53} \right) - \right.$$

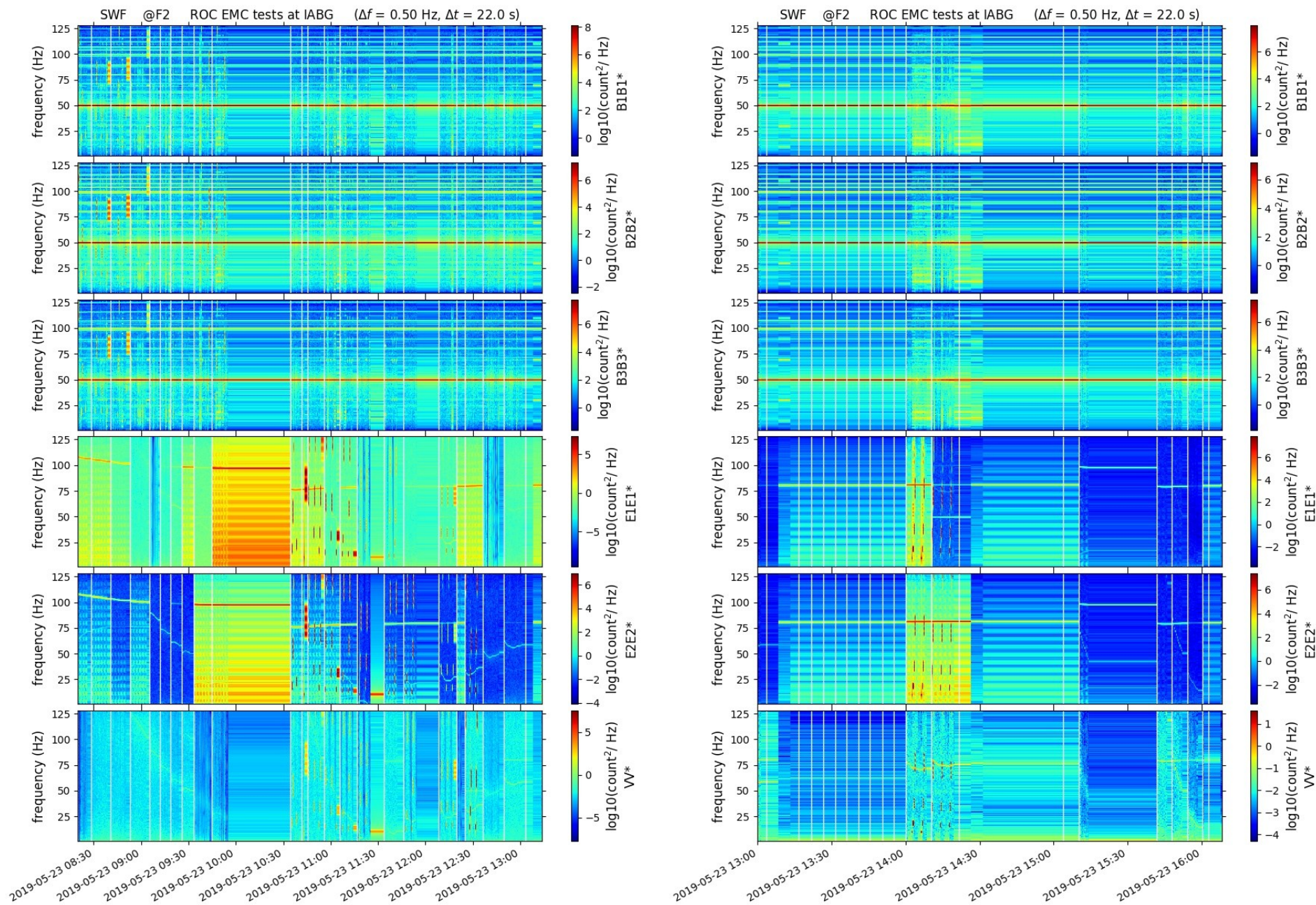
$$\left. n_Z \left( \tan \alpha_2 S_{42} - \frac{A_1 \sin \alpha_1}{A_2 \cos \alpha_2} S_{52} - \tan \alpha_2 \tan \alpha_M S_{43} + \frac{A_1 \sin \alpha_1}{A_2 \cos \alpha_2} \tan \alpha_M S_{53} \right) \right] /$$

Seems not possible here ...

$$\left[ \cos \alpha_M^2 S_{22} + \sin \alpha_M^2 S_{33} - 2 \sin \alpha_M \cos \alpha_M \Re[S_{23}] \right]$$



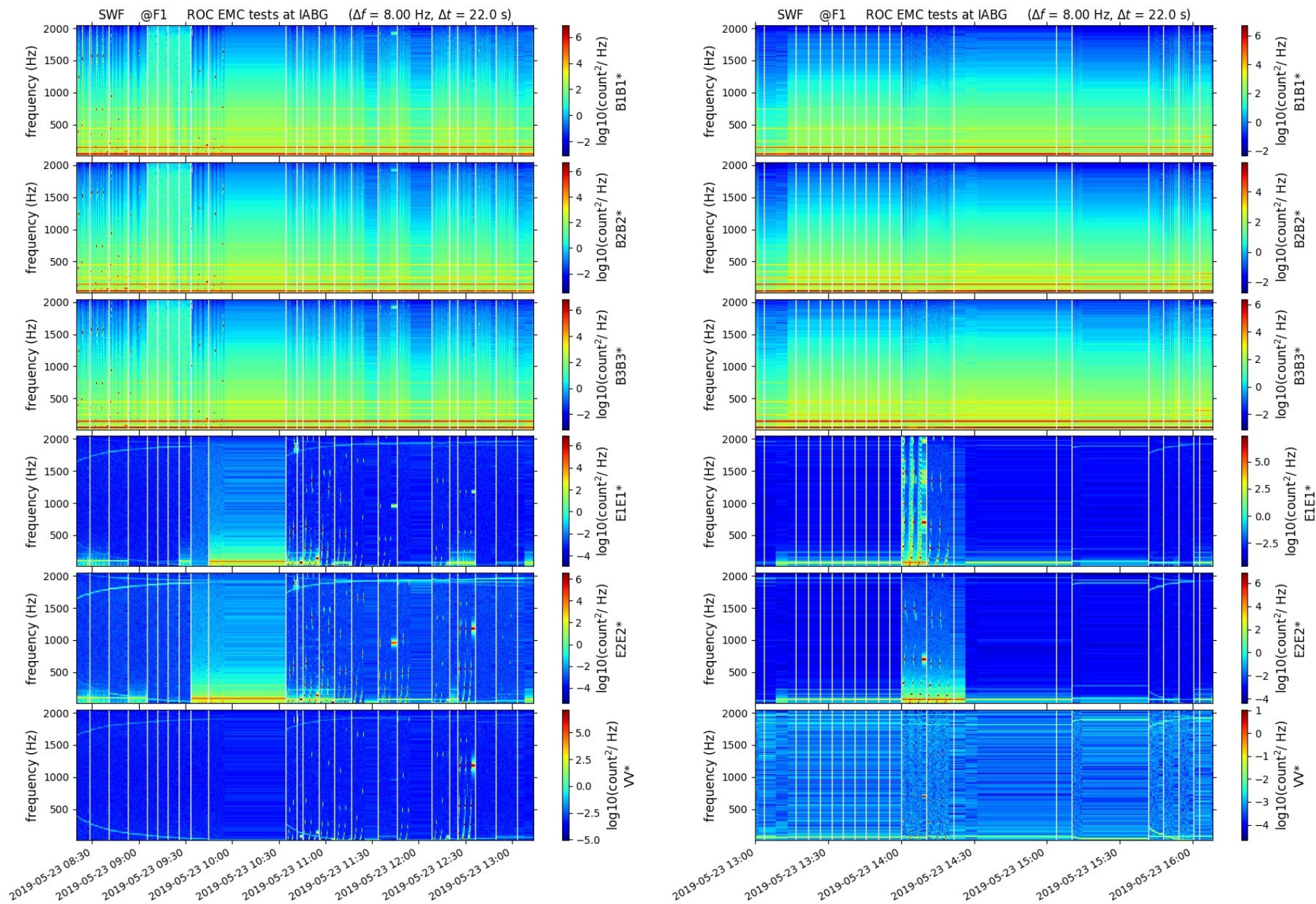
# FFT overview (@F2 = 256Hz)







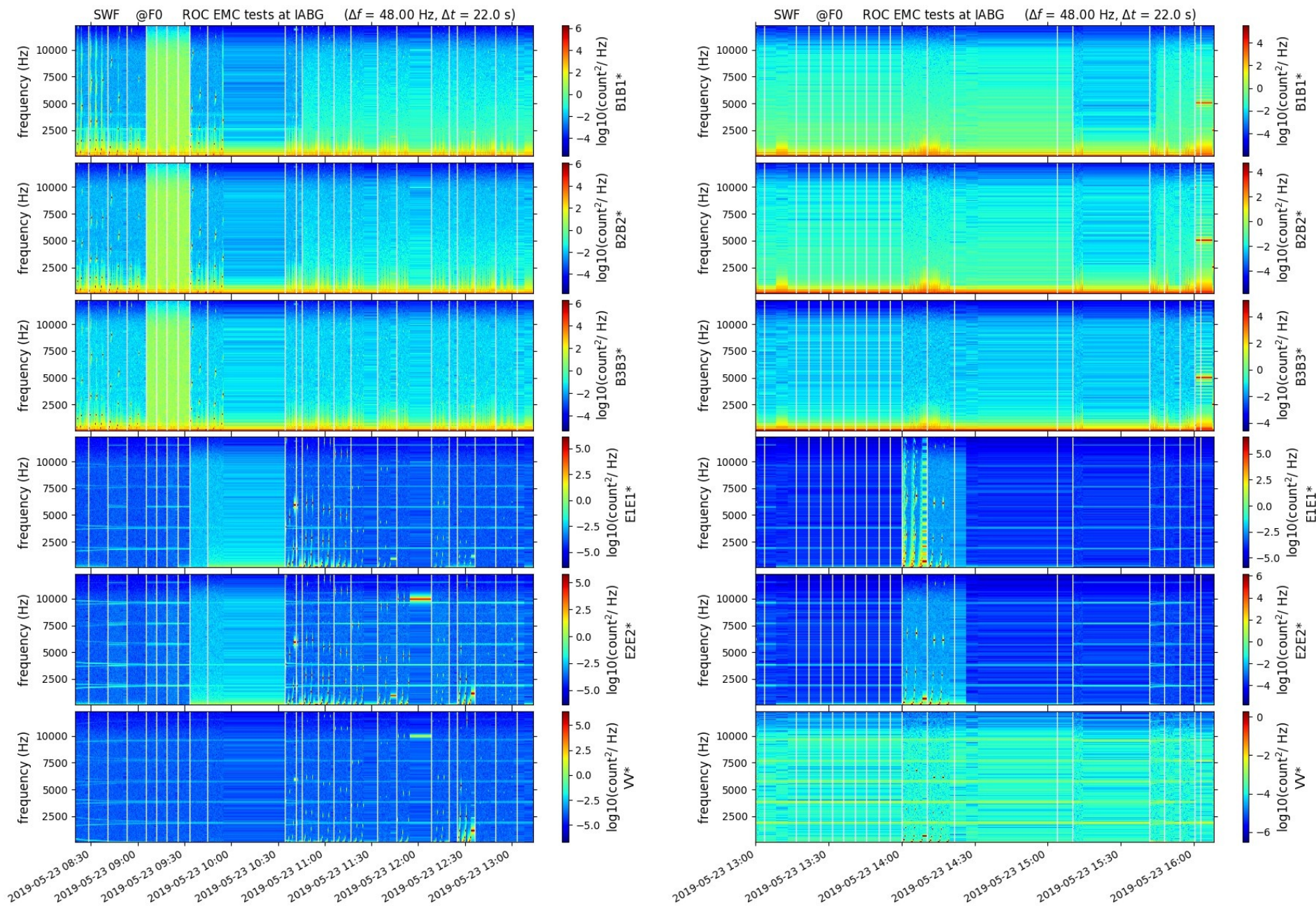
# FFT overview (@F1 = 4096Hz)







# FFT overview (@F0 = 24576Hz)



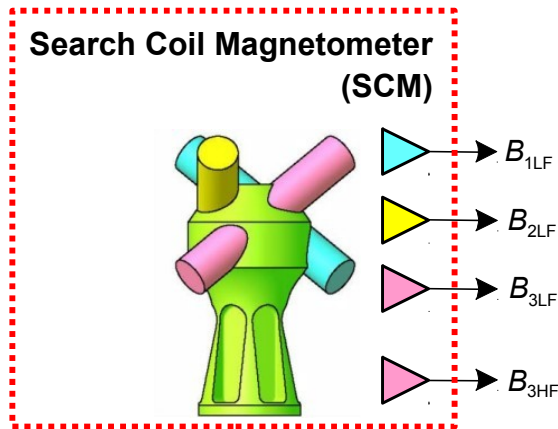
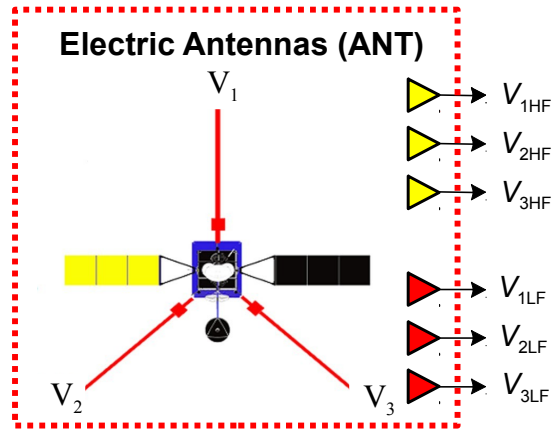


*Additional slides*

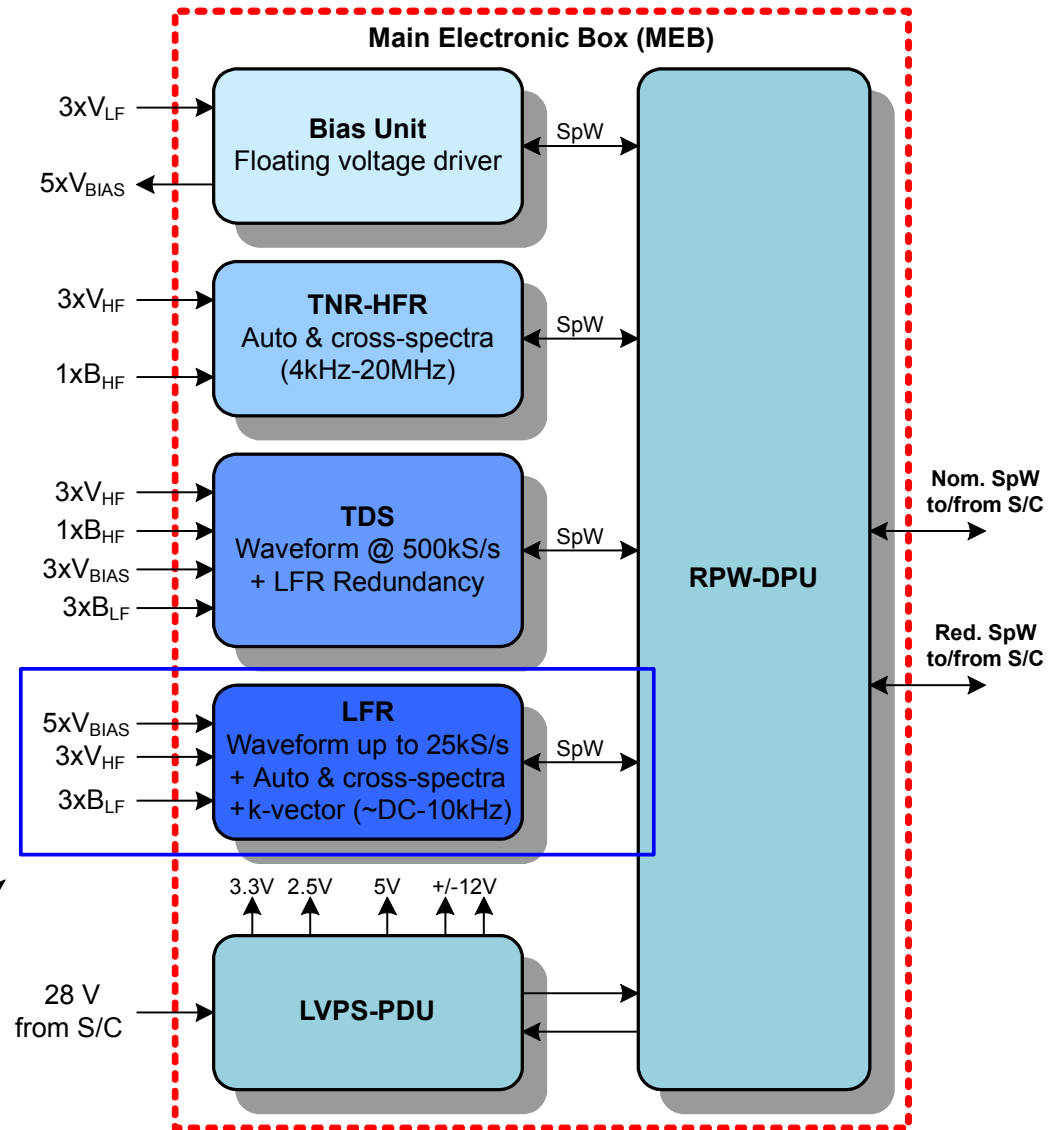


# RPW Instrument Overview

Will allow the characterization of the electric and magnetic fields associated to the dynamics of the near-Sun heliosphere **from near DC up to 20 MHz**



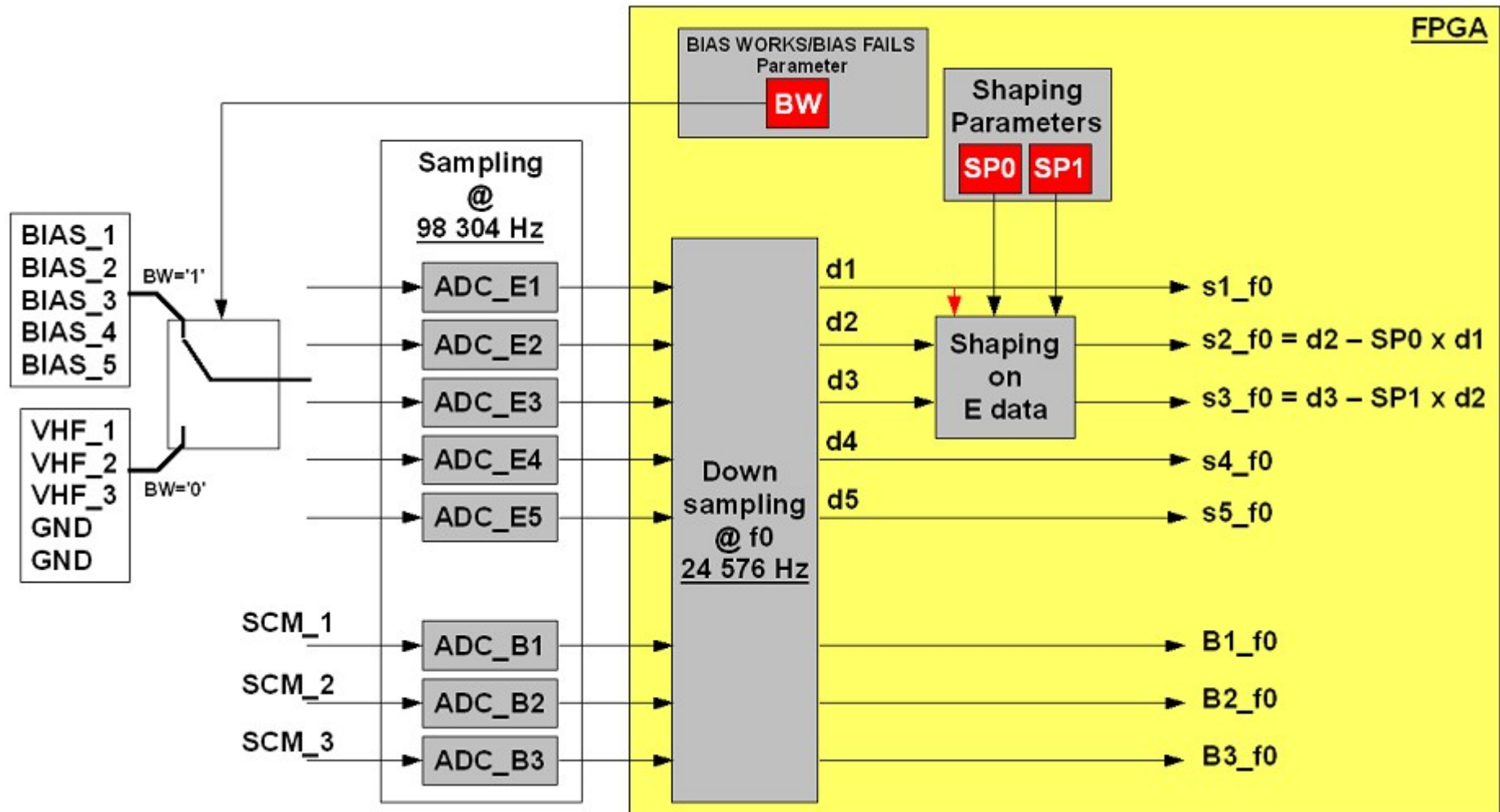
**Low Frequency Receiver**





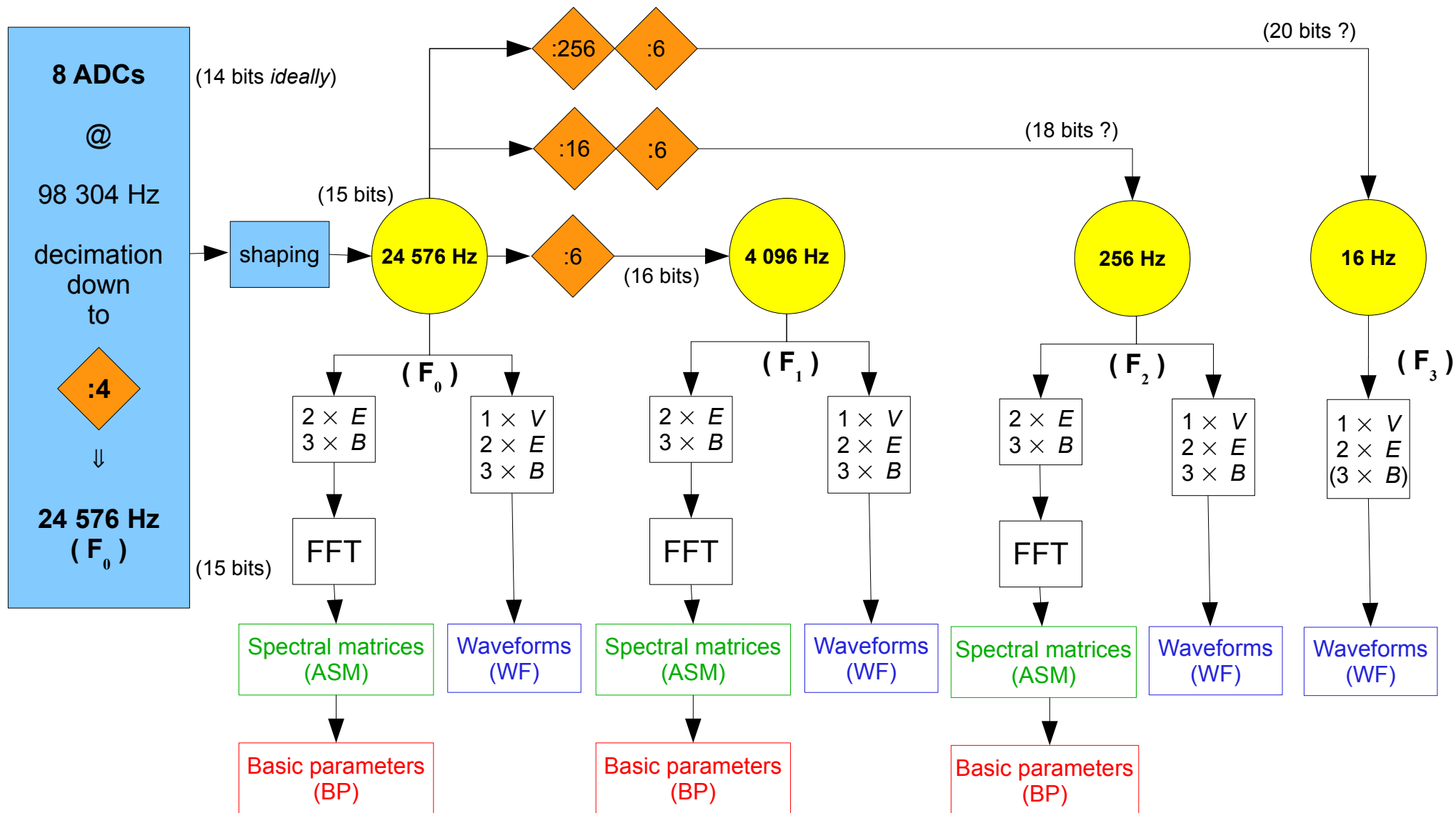


# LFR 11 analogue inputs





# LFR Decimation and Processing Strategy





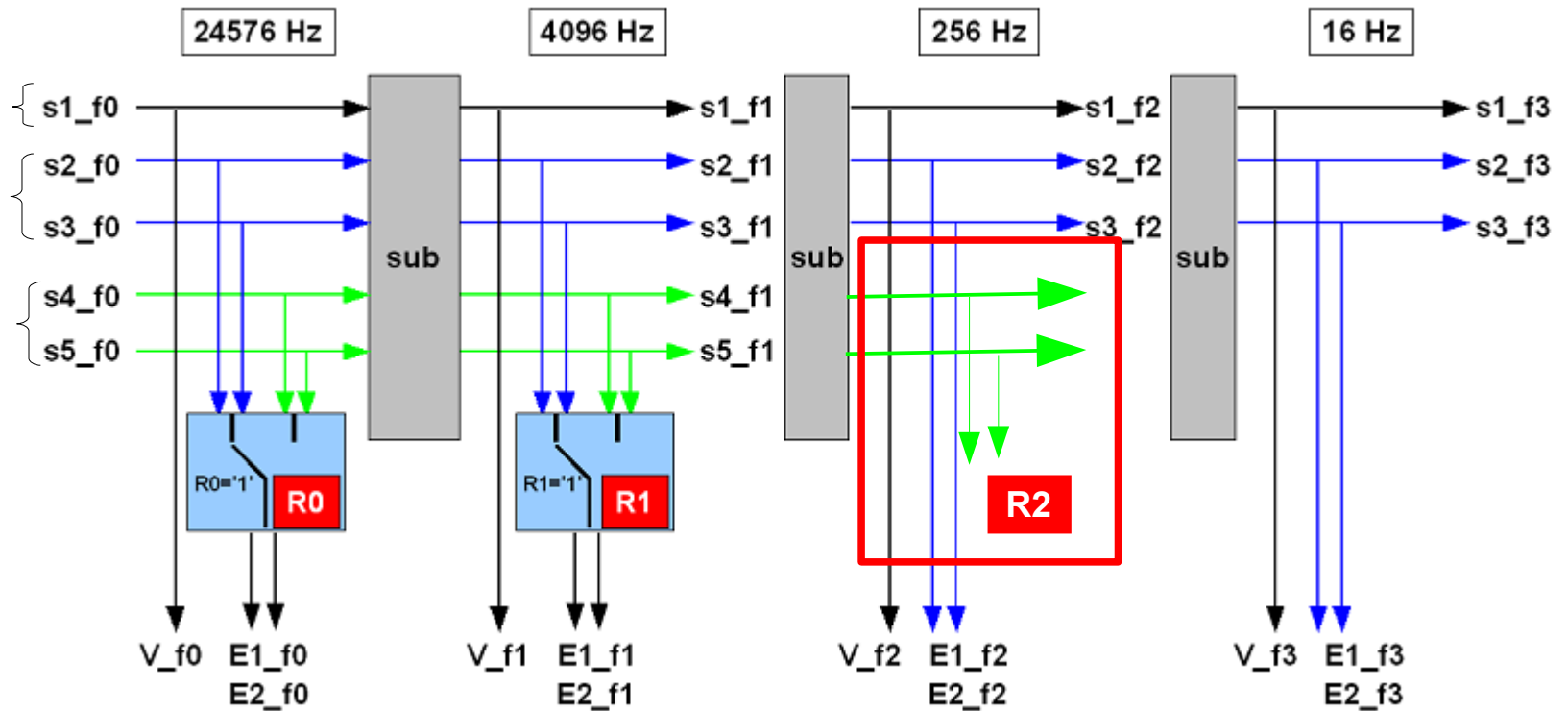


# BIAS 5 analog inputs and the R-parameters

**DC V**  
( $G=1/15$ )

**DC  $dV \sim E$**   
( $G=1$ )

**AC  $dV \sim E$**   
( $G=5$  or  $100$ ,  
cutoff $\sim 8$ Hz)





# BIAS configuration



| BIAS_WORKS |        |        |        |        |                         |        |        |        |
|------------|--------|--------|--------|--------|-------------------------|--------|--------|--------|
| BIAS_1     | BIAS_2 | BIAS_3 | BIAS_4 | BIAS_5 |                         |        |        |        |
| V1_DC      | V12_DC | V23_DC | V12_AC | V23_AC | standard                | SCM_1  | SCM_2  | SCM_3  |
| V2_DC      | V3_DC  | V23_DC | V12_AC | V23_AC | probe 1 fails           | SCM_1  | SCM_2  | SCM_3  |
| V1_DC      | V3_DC  | V13_DC | V13_AC | V23_AC | probe 2 fails           | SCM_1  | SCM_2  | SCM_3  |
| V1_DC      | V2_DC  | V12_DC | V12_AC | V23_AC | probe 3 fails           | SCM_1  | SCM_2  | SCM_3  |
| V1_DC      | V2_DC  | V3_DC  | V12_AC | V23_AC | offsets<br>saturate V12 | SCM_1  | SCM_2  | SCM_3  |
| BIAS_FAILS |        |        |        |        |                         |        |        |        |
| VHF_1      | VHF_2  | VHF_3  | GND    | GND    |                         | SCM_1  | SCM_2  | SCM_3  |
| ↓          | ↓      | ↓      | ↓      | ↓      |                         | ↓      | ↓      | ↓      |
| ADC_E1     | ADC_E2 | ADC_E3 | ADC_E4 | ADC_E5 |                         | ADC_B1 | ADC_B2 | ADC_B3 |



# Current set of Basic Parameters

“Instantaneous” 5 x 5 spectral matrix  
(256 FFT points)

$$\mathbf{SM}(\omega_j^{(m)}) = \begin{bmatrix} B_1 B_1^* & B_1 B_2^* & B_1 B_3^* & B_1 E_1^* & B_1 E_2^* \\ cc & B_2 B_2^* & B_2 B_3^* & B_2 E_1^* & B_2 E_2^* \\ cc & cc & B_3 B_3^* & B_3 E_1^* & B_3 E_2^* \\ cc & cc & cc & E_1 E_1^* & E_1 E_2^* \\ cc & cc & cc & cc & E_2 E_2^* \end{bmatrix}$$



Time Averaged Spectral Matrix (ASM)

$$\mathbf{ASM}(\omega_j^{(m)}) = \frac{1}{N_{SM}^{(m)}} \sum_{k=1}^{N_{SM}^{(m)}} \mathbf{SM}_k(\omega_j^{(m)}) = \langle \mathbf{SM} \rangle_{time}$$



Frequency average ...

$$\mathbf{S}(\omega_j^{(m)}) = \langle \mathbf{ASM} \rangle_{frequency}$$

... before computations of the BPs  
(i.e. wave parameters)



Mono-**k**  
assumption :

(Means, JGR, 1972) {

(Samson & Olson, GJRA, 1980) {

$$\mathbf{n} \times \mathbf{E} = \frac{\omega}{k} \mathbf{B} \longrightarrow$$

$$\frac{S_{ij}}{\sqrt{S_{ii} S_{jj}}} \longrightarrow$$

- BP1 set 1: Power spectrum of the magnetic field (**B**)
- BP1 set 2: Power spectrum of the electric field (**E**)
- BP1 set 3: Wave normal vector (from **B**)
- BP1 set 4: Wave ellipticity estimator (from **B**)
- BP1 set 5: Wave planarity estimator (from **B**)
- BP1 set 6:  $X_{so}$  (radial)-component of the Poynting vector
- BP1 set 7: Phase velocity estimator
- BP2 set 1: Autocorrelations
- BP2 set 2: Normalized cross correlations

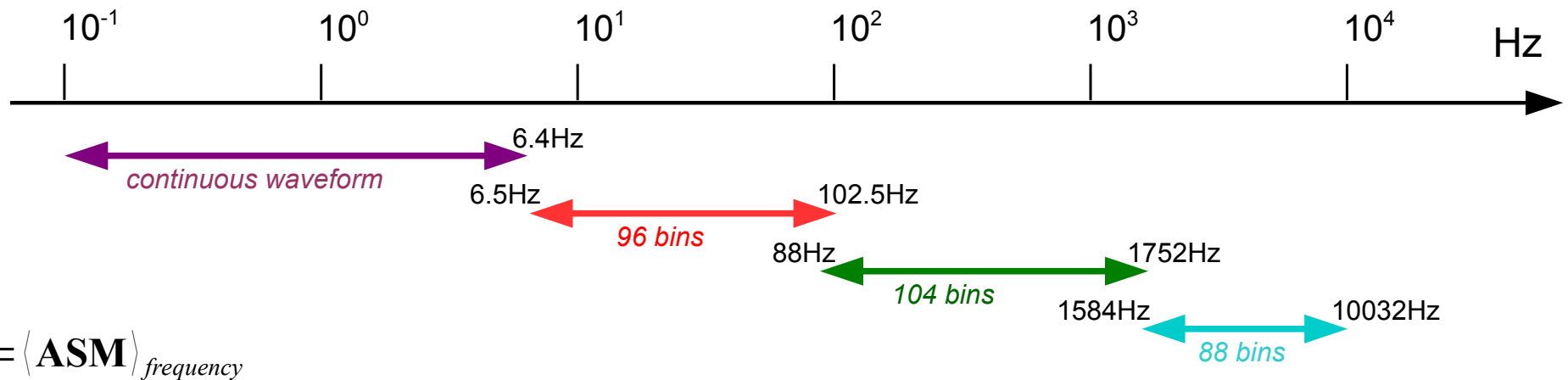


# LFR Spectral Frequencies

- (1) Depending on the frequency channel, **selection** of 96, 104 or 88 consecutive **frequency bins** among 128 ( $N_{FFT} = 256$ ) of the *time* averaged spectral matrices.
- (2) Then, the ASMs are averaged over packets of  $N_{freq}$  (8 or 4) consecutive bins :

$\Delta f^{(m)} = \frac{f_m}{N_{FFT}} \times N_{freq}$ 
 $N_{freq} = 8$

|                          |                  |                   |                                   |                                 |
|--------------------------|------------------|-------------------|-----------------------------------|---------------------------------|
| $f_3 = 16 \text{ Hz}$    | => waveform      | [DC, 8Hz]         |                                   | $f_3 / 2.5 = 6.4 \text{ Hz}$    |
| $f_2 = 256 \text{ Hz}$   | > 12 frequencies | [6.5Hz, 102.5Hz]  | $\Delta f^{(2)} = 8 \text{ Hz}$   | $f_2 / 2.5 = 102.4 \text{ Hz}$  |
| $f_1 = 4096 \text{ Hz}$  | > 13 frequencies | [88Hz, 1752Hz]    | $\Delta f^{(1)} = 128 \text{ Hz}$ | $f_1 / 2.5 = 1638.4 \text{ Hz}$ |
| $f_0 = 24576 \text{ Hz}$ | > 11 frequencies | [1584Hz, 10032Hz] | $\Delta f^{(0)} = 768 \text{ Hz}$ | $f_0 / 2.5 = 9830.4 \text{ Hz}$ |



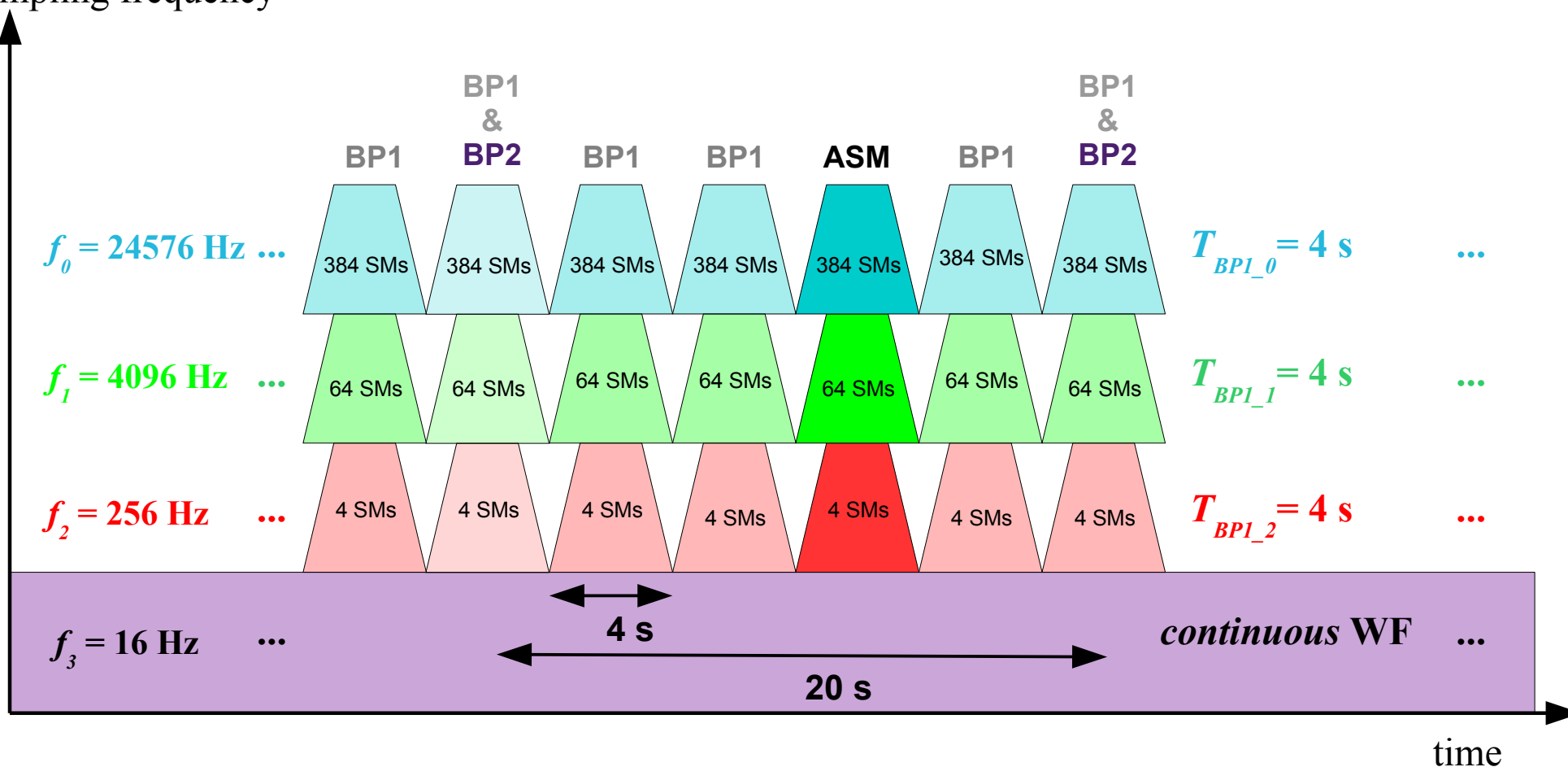


# LFR Normal Mode (1)

## Basic Parameters

|      |          |
|------|----------|
| BP:  | 1080 bps |
| WF:  | 2734 bps |
| ASM: | 32 bps   |
| TM:  | 3846 bps |

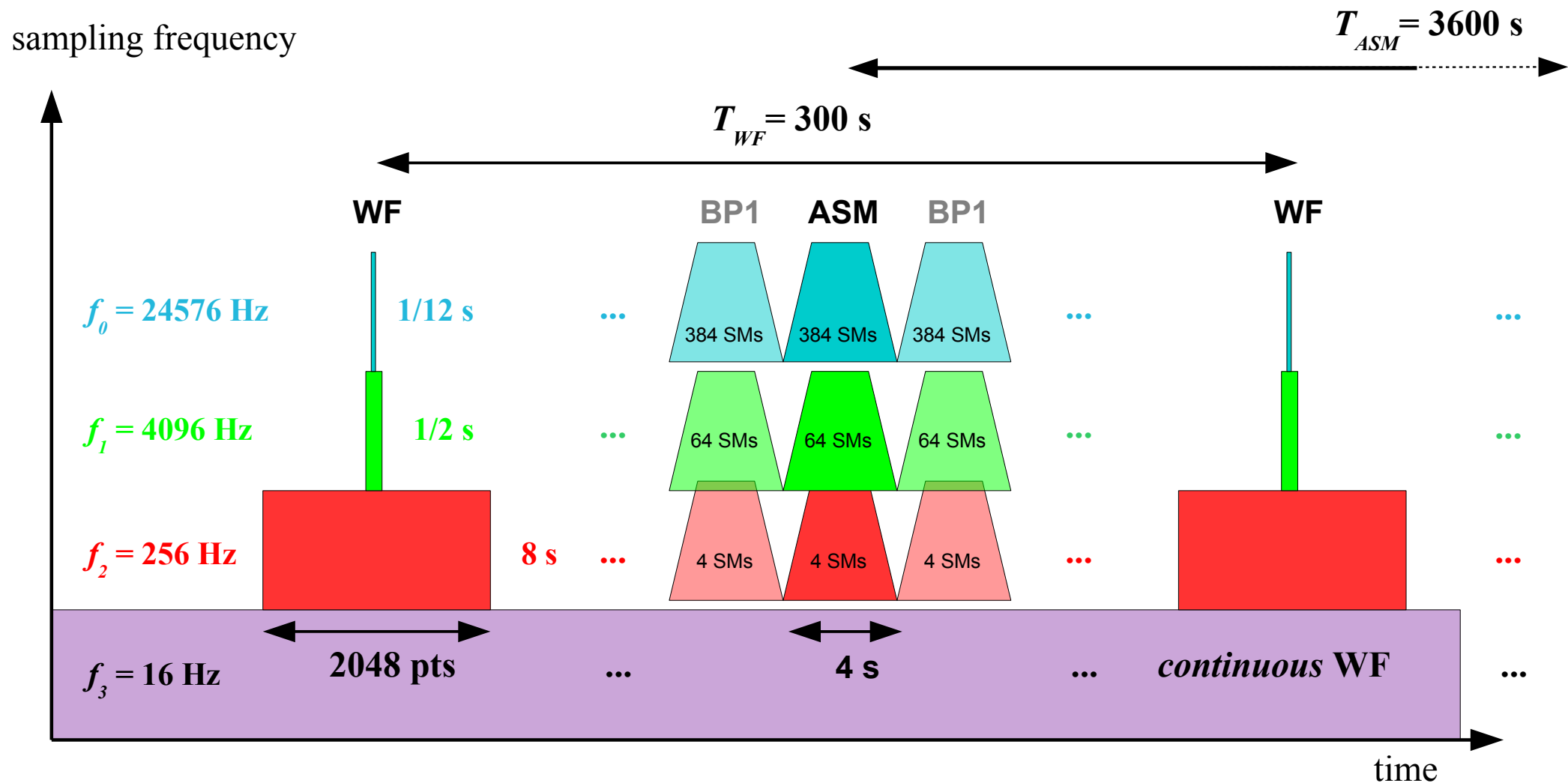
sampling frequency





# LFR Normal Mode (2)

## WaveForms & Averaged Spectral Matrices

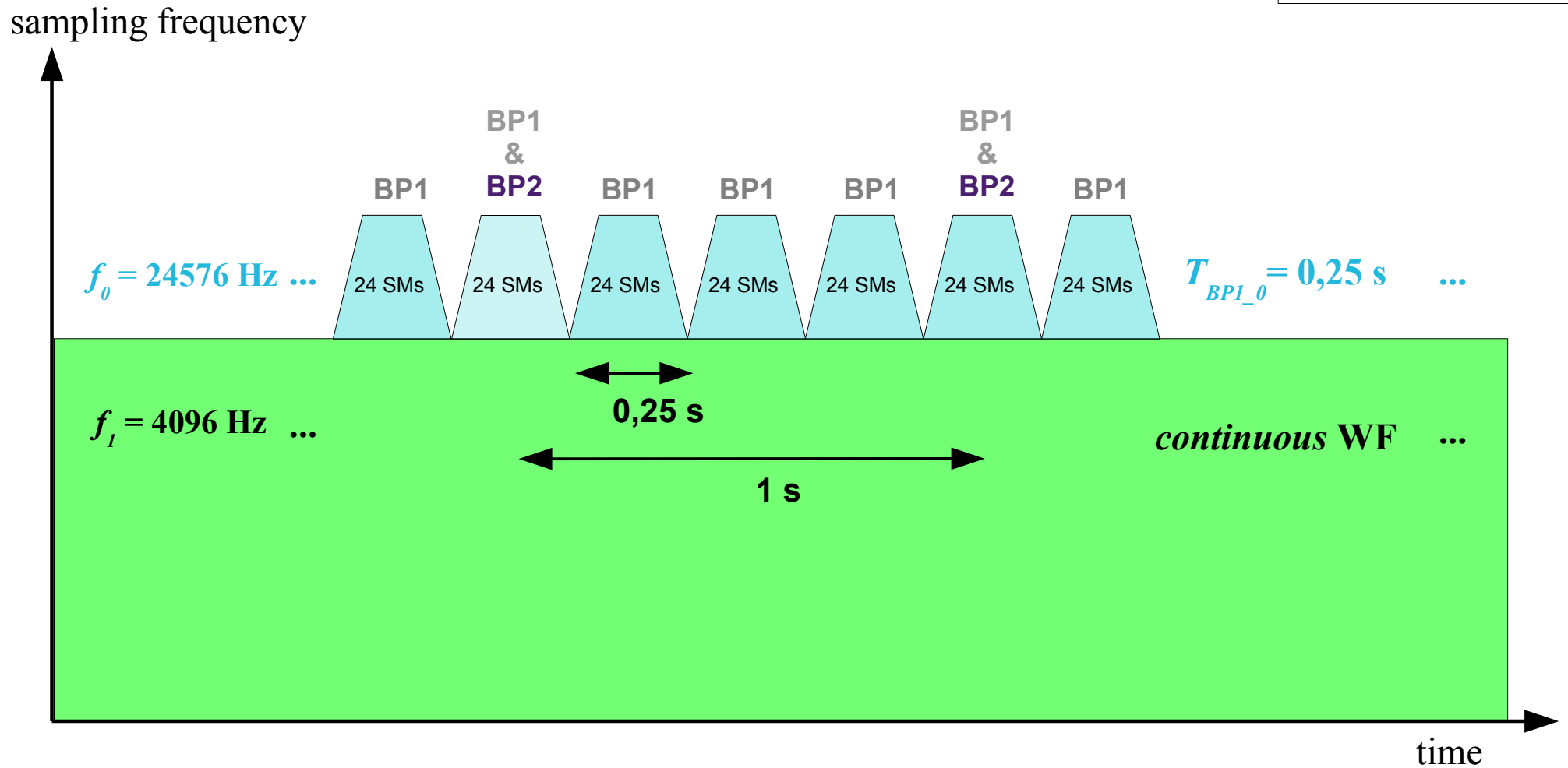




# LFR Selected Burst Mode 1



|             |                   |
|-------------|-------------------|
| <b>BP:</b>  | <b>12672 bps</b>  |
| <b>WF:</b>  | <b>393216 bps</b> |
| <b>ASM:</b> | <b>0 bps</b>      |
| <b>TM:</b>  | <b>405888 bps</b> |



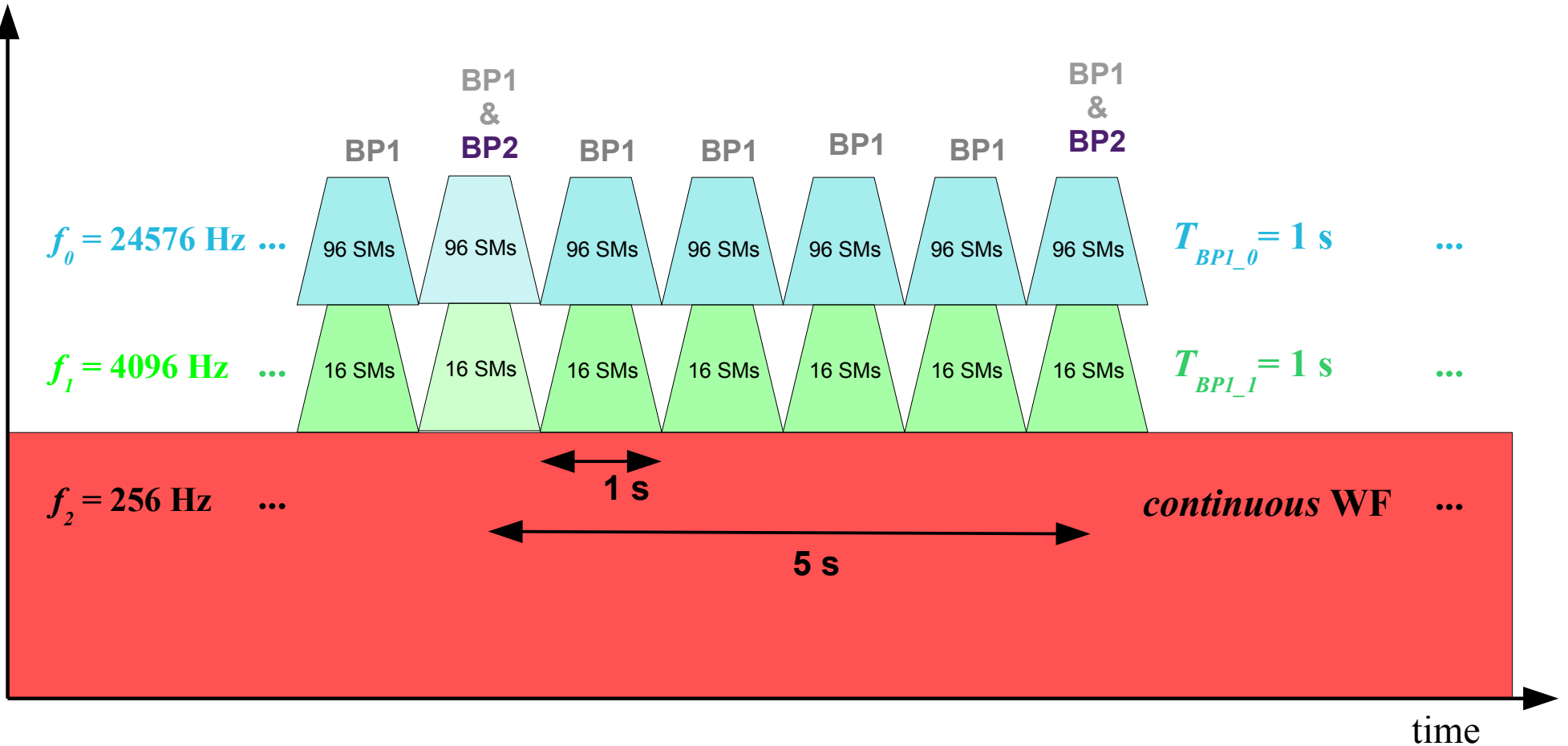


# LFR Selected Burst Mode 2



|             |                  |
|-------------|------------------|
| <b>BP:</b>  | <b>5760 bps</b>  |
| <b>WF:</b>  | <b>24576 bps</b> |
| <b>ASM:</b> | <b>0 bps</b>     |
| <b>TM:</b>  | <b>30336 bps</b> |

sampling frequency







# LFR block diagram

