



# Solar Radioastronomy with Solar Orbiter and Parker Solar Probe : capabilities and expectations

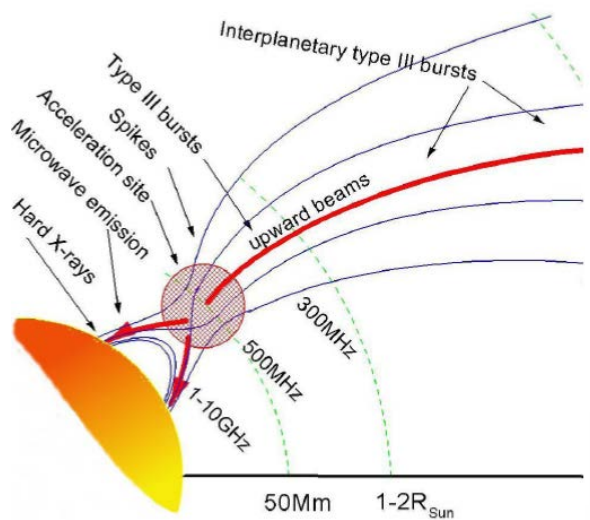
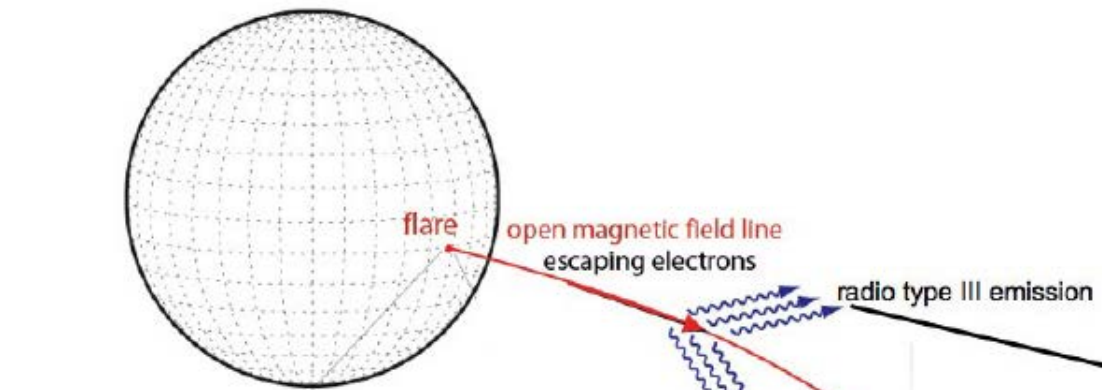
**Milan Maksimovic**

*LESIA & CNRS, Observatoire de Paris, France*

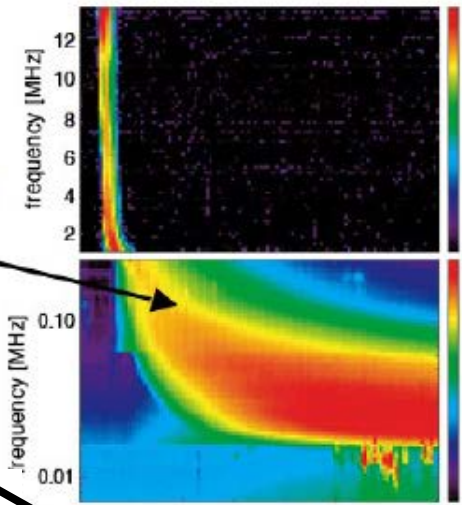


*Adapted from "EGU General Assembly 2018, Vienna – session ST1.2"*

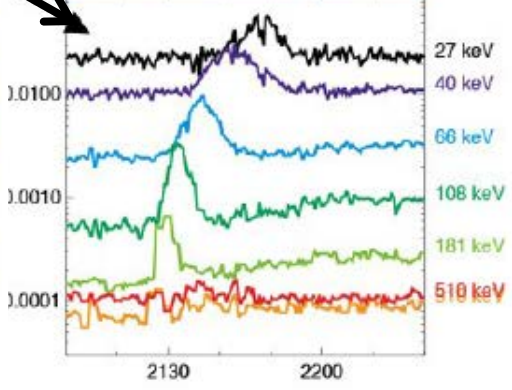
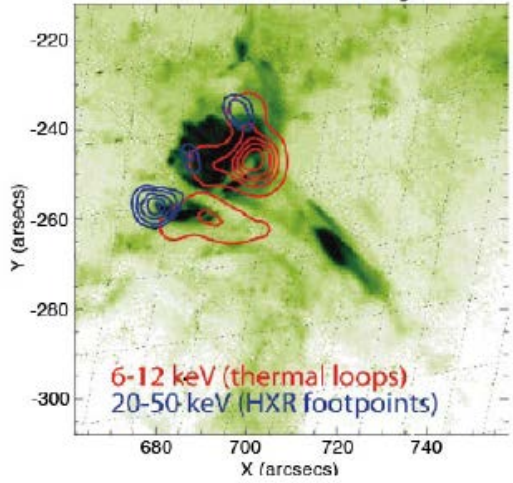
*for the RPW Consortium meeting # 21 – Dresden, 4-5 May 2018*



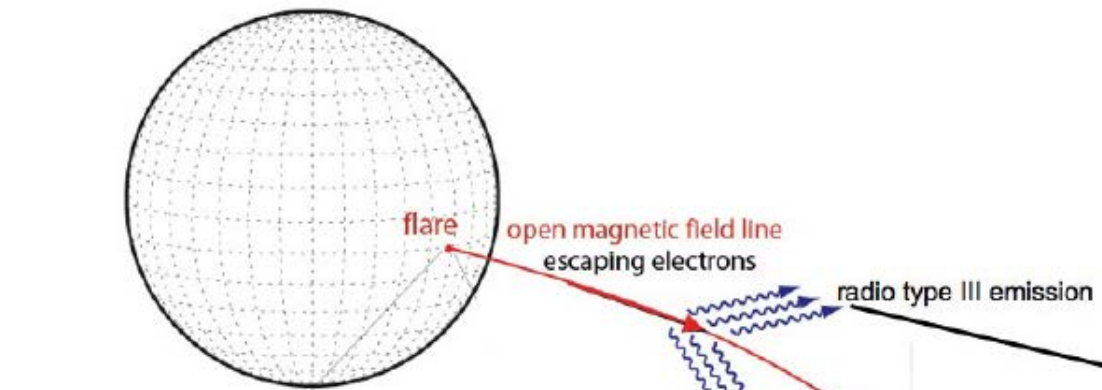
### radio burst



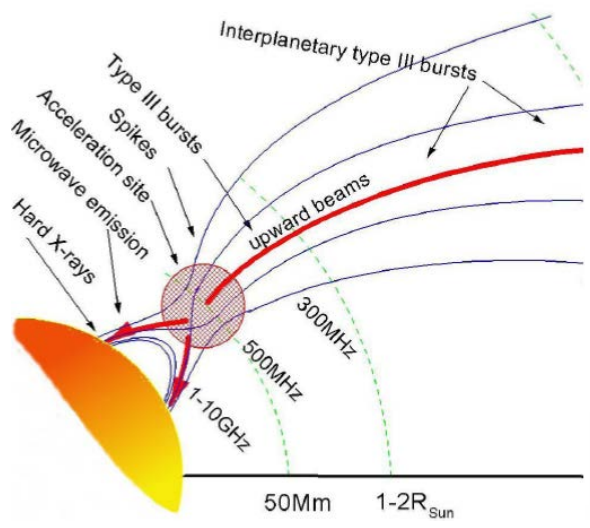
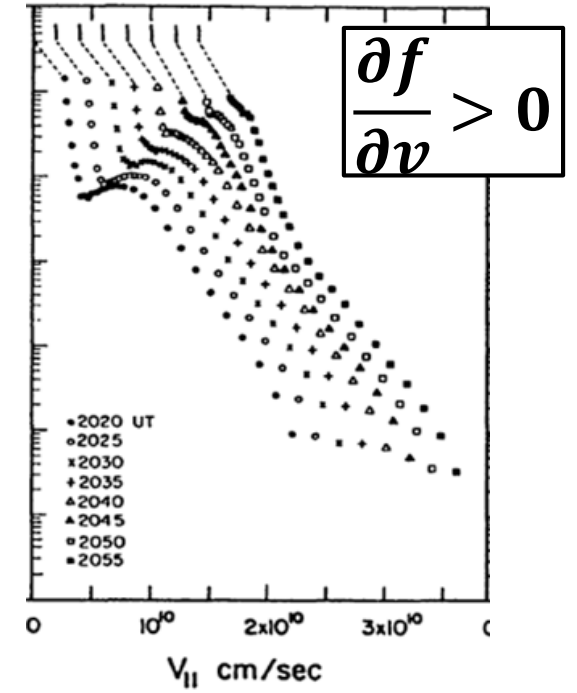
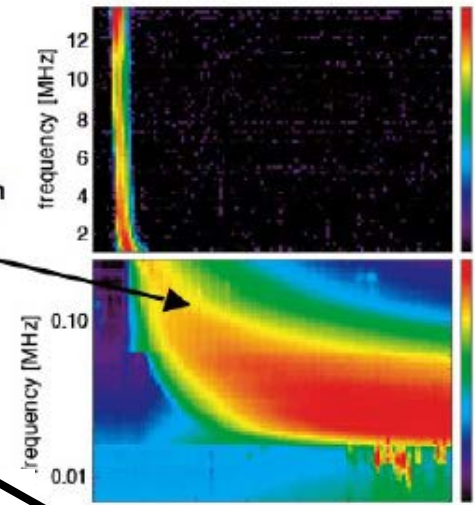
### UV and X-rays



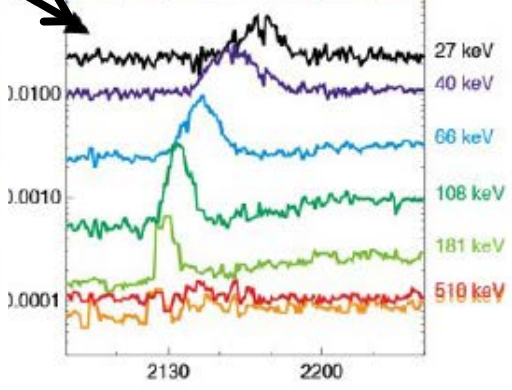
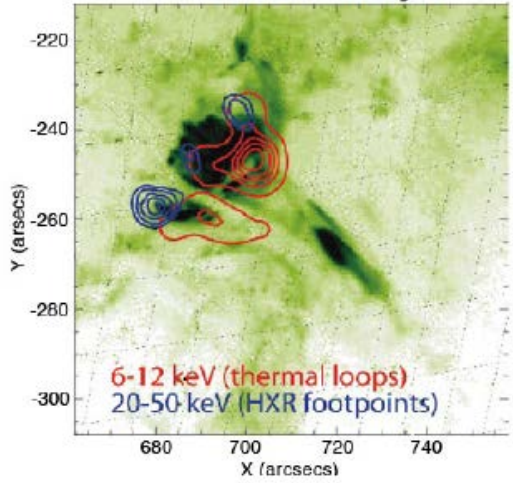
### energetic electrons



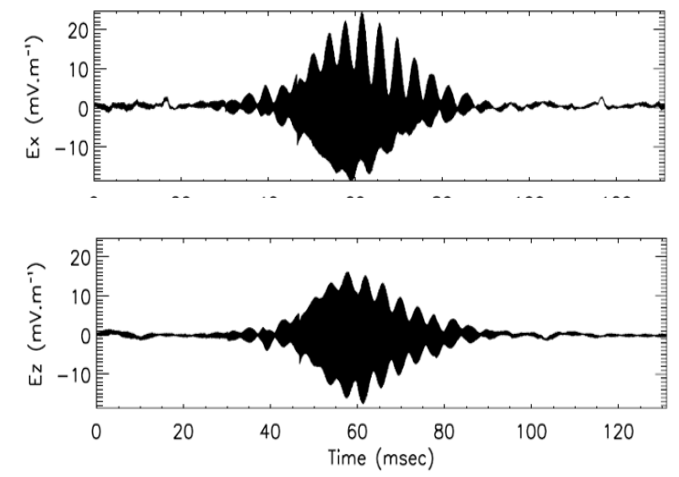
radio burst



UV and X-rays



energetic electrons



STEREO/Waves

Electrostatic Langmuir waves  
 → radio emission

$$\left. \begin{aligned} F_p (\text{kHz}) &\propto \sqrt{N_e (\text{cm}^{-3})} \\ N_e &\propto 1/R^2 (\text{au}) \end{aligned} \right\} \rightarrow F_p \propto \frac{1}{R}$$

# Antenna Radiation Overview

Papadopoulos and Freund (1978)  
 Goldman+ (1980)  
 Malaspina+ (2010), (2012)

## Two-step process:

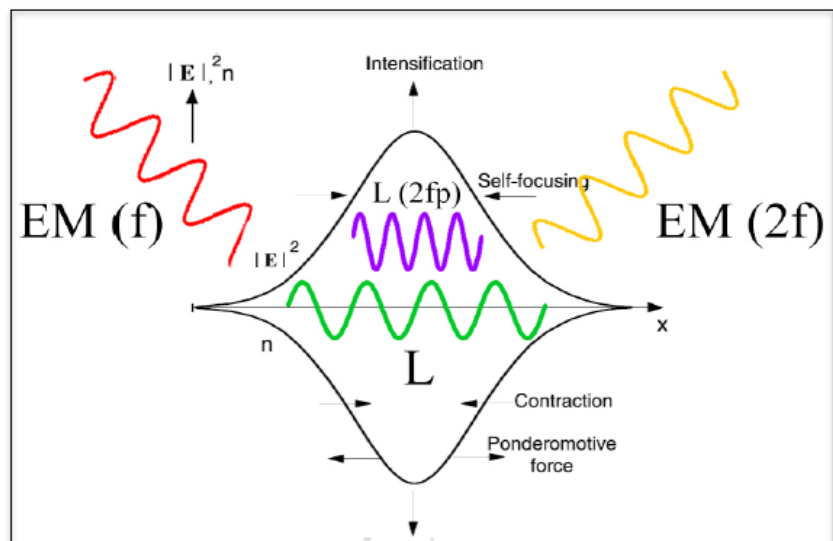
- (1a) Localize an oscillating current (LW)
- Collapse / modulational instability
  - Eigenmode localization
  - Bunching by density fluctuations
- Voshchepynet+ (2017)

(1b) Drive harmonic nonlinear currents

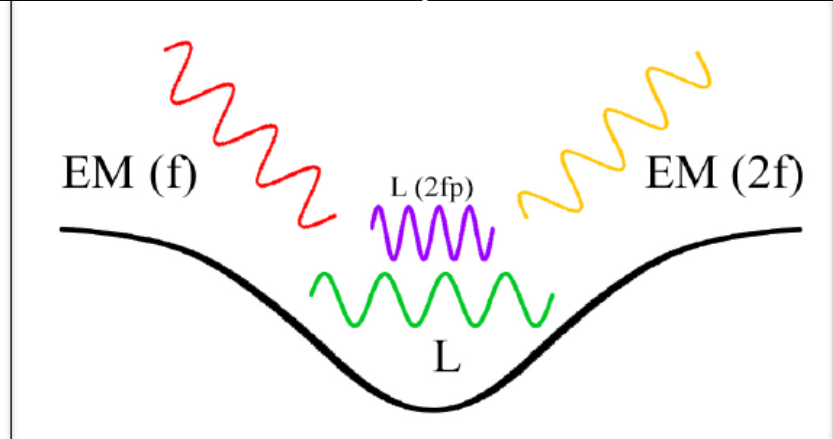
- (2a) Direct radiation at f  
 (2b) Direct radiation at 2f
- Efficiencies due to:  
 antenna size vs. EM wavelength

Courtesy D. Malaspina

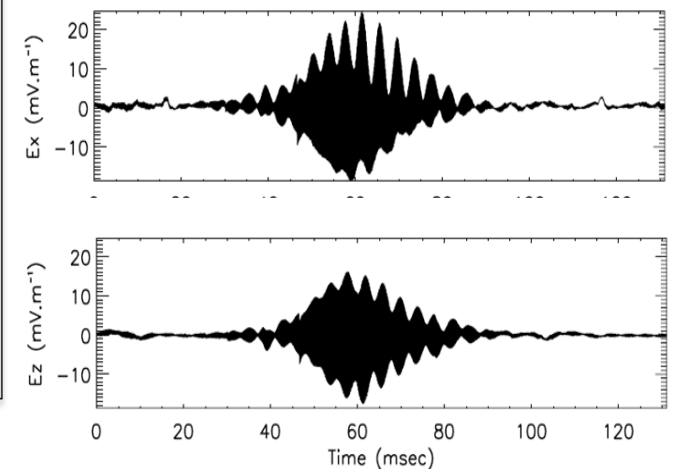
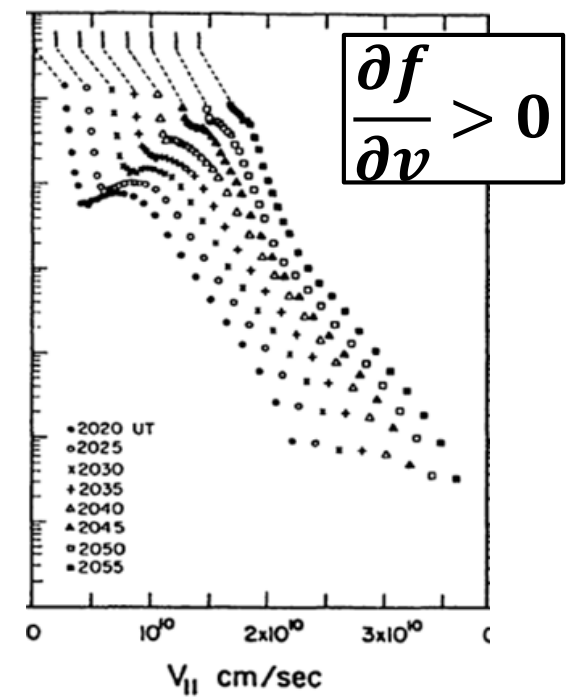
**Electrostatic Langmuir waves**  
 → radio emission



**Density fluctuations play an important role in the radio production !!**

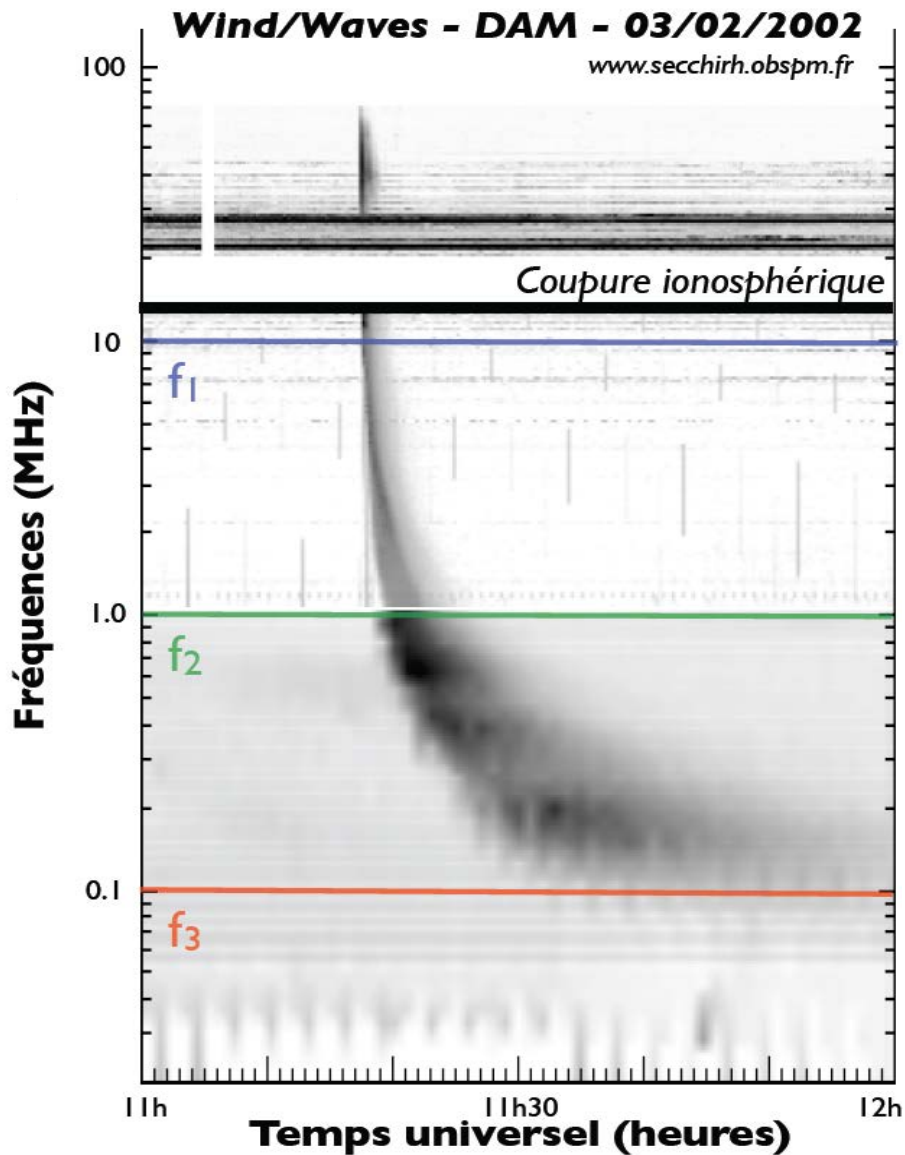


$$\left. \begin{aligned} F_p \text{ (kHz)} &\propto \sqrt{N_e \text{ (cm}^{-3}\text{)}} \\ N_e &\propto 1/R^2 \text{ (au)} \end{aligned} \right\} \rightarrow F_p \propto \frac{1}{R}$$



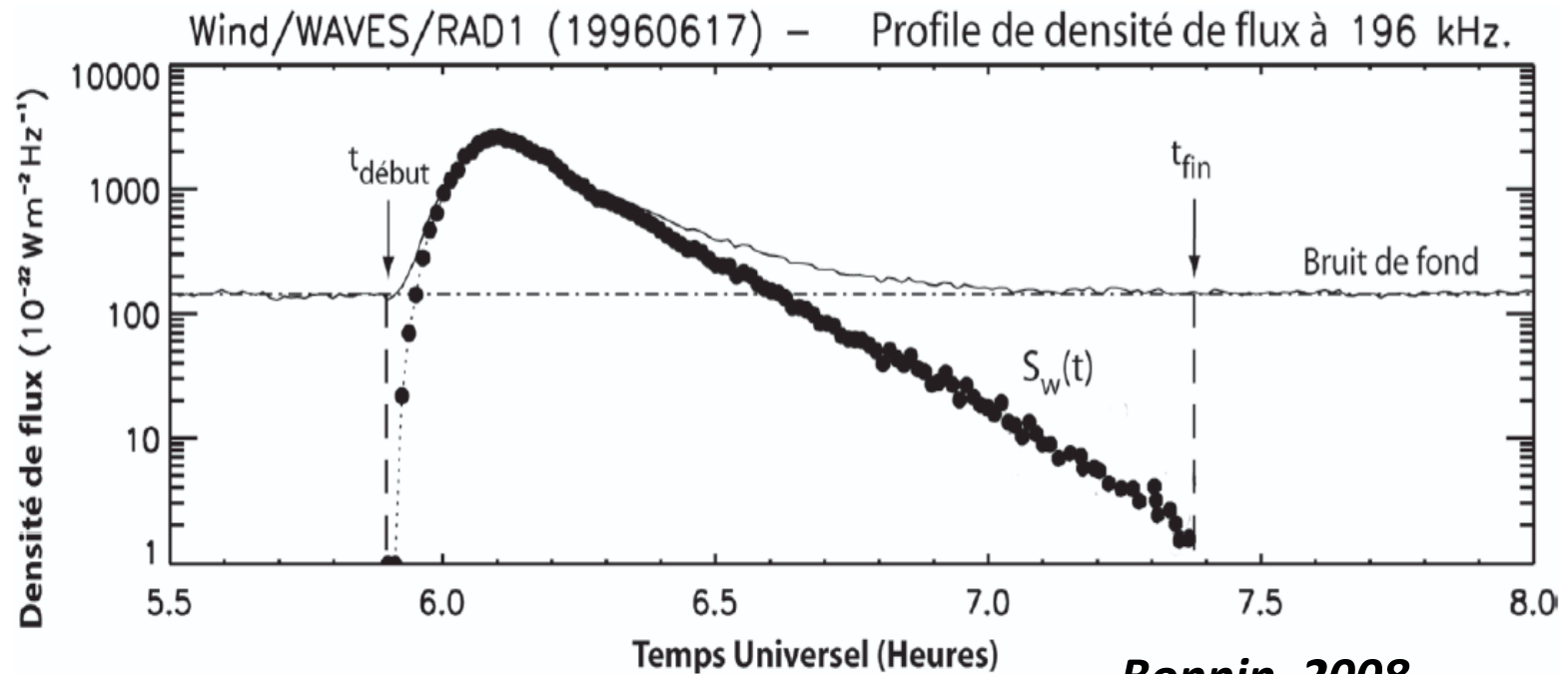
**STEREO/Waves**

# Type III Solar Bursts



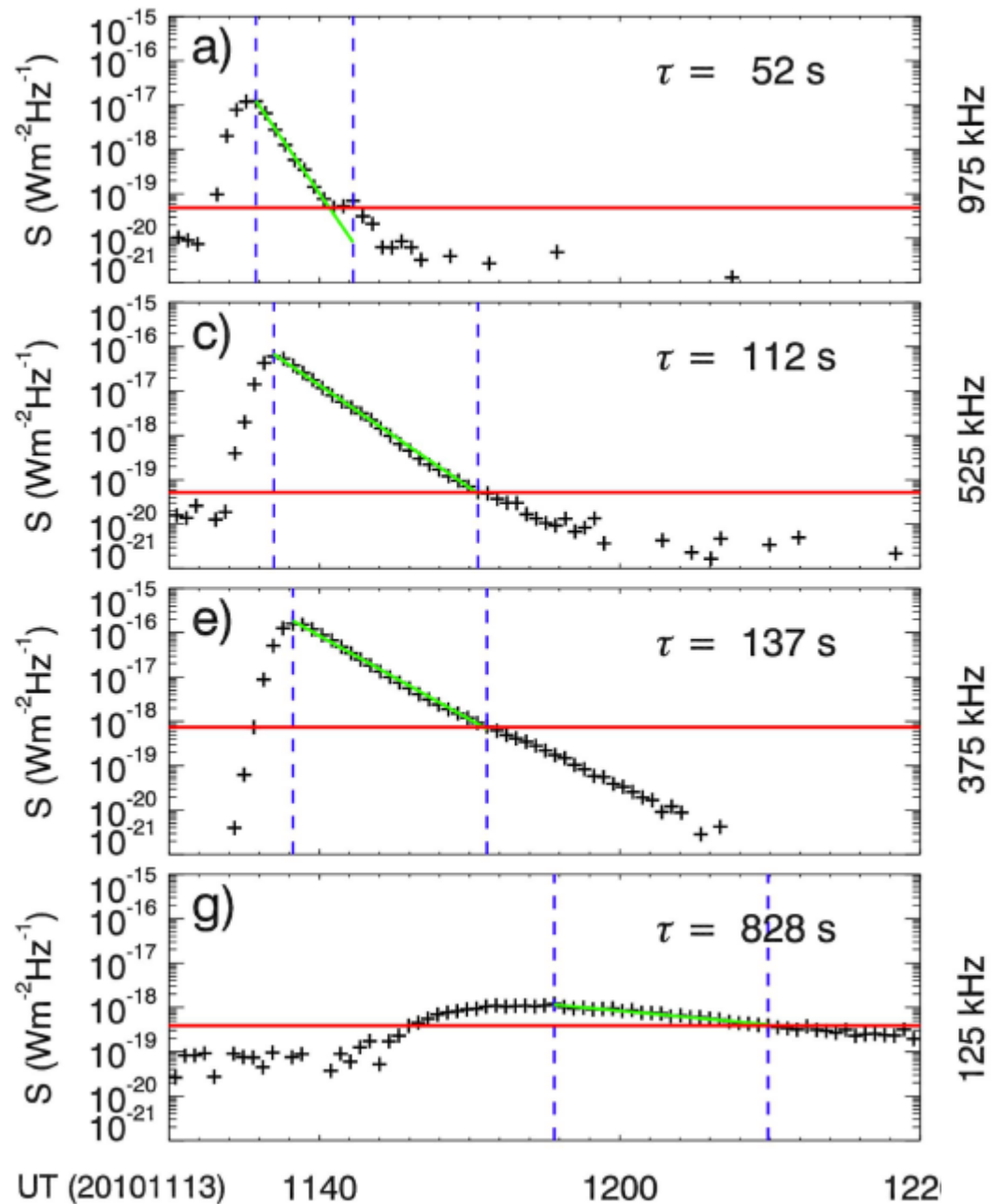
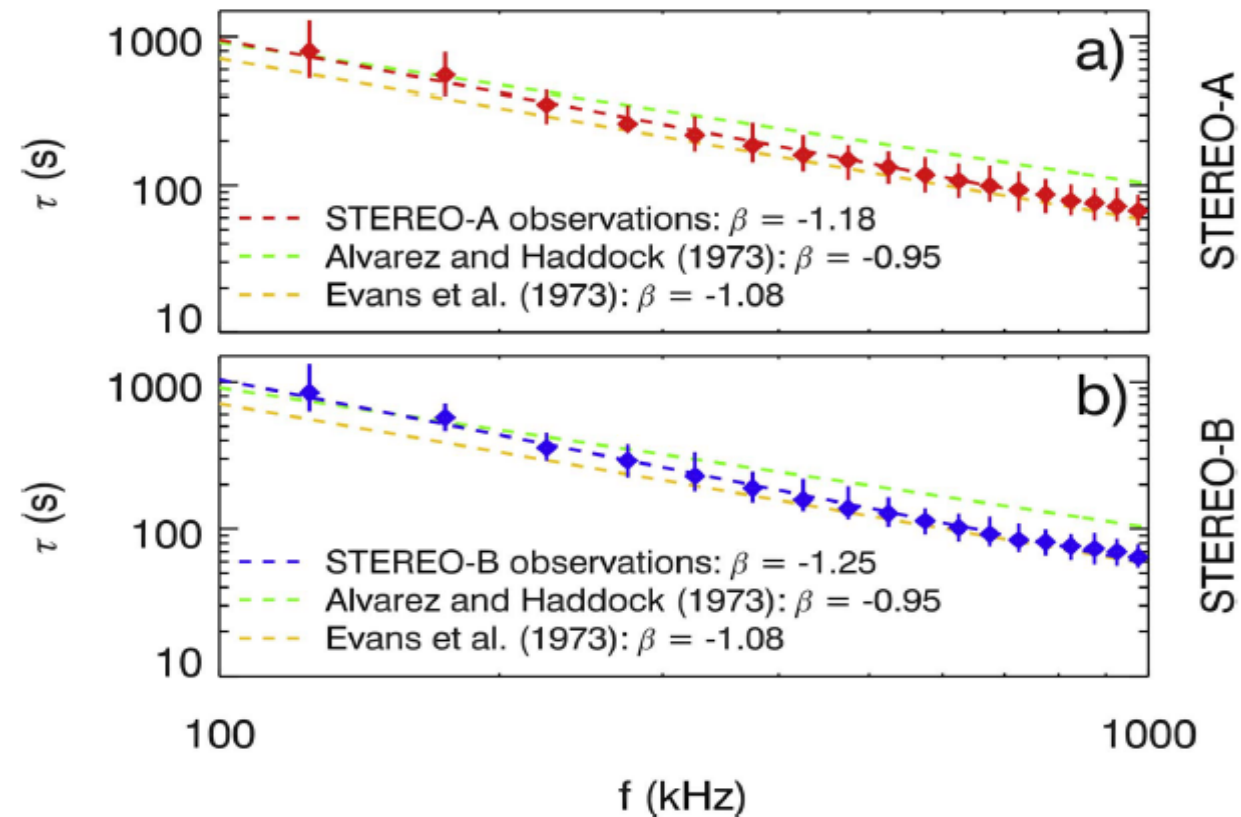
- Short (sec  $\rightarrow$  hrs) & very intense ( $\rightarrow 10^{-14} \text{ W.m}^{-2}.\text{Hz}^{-1}$ ) radio emissions
- Emission frequency decreases rapidly (GHz  $\rightarrow$  kHz).
- Type profile exhibit both increase and decrease exponential times
- Evans (1973) found  $P(t) = P_0 e^{-t/\tau_D}$  with  

$$\tau_D(f) \propto f^{-1.09 \pm 0.05}$$

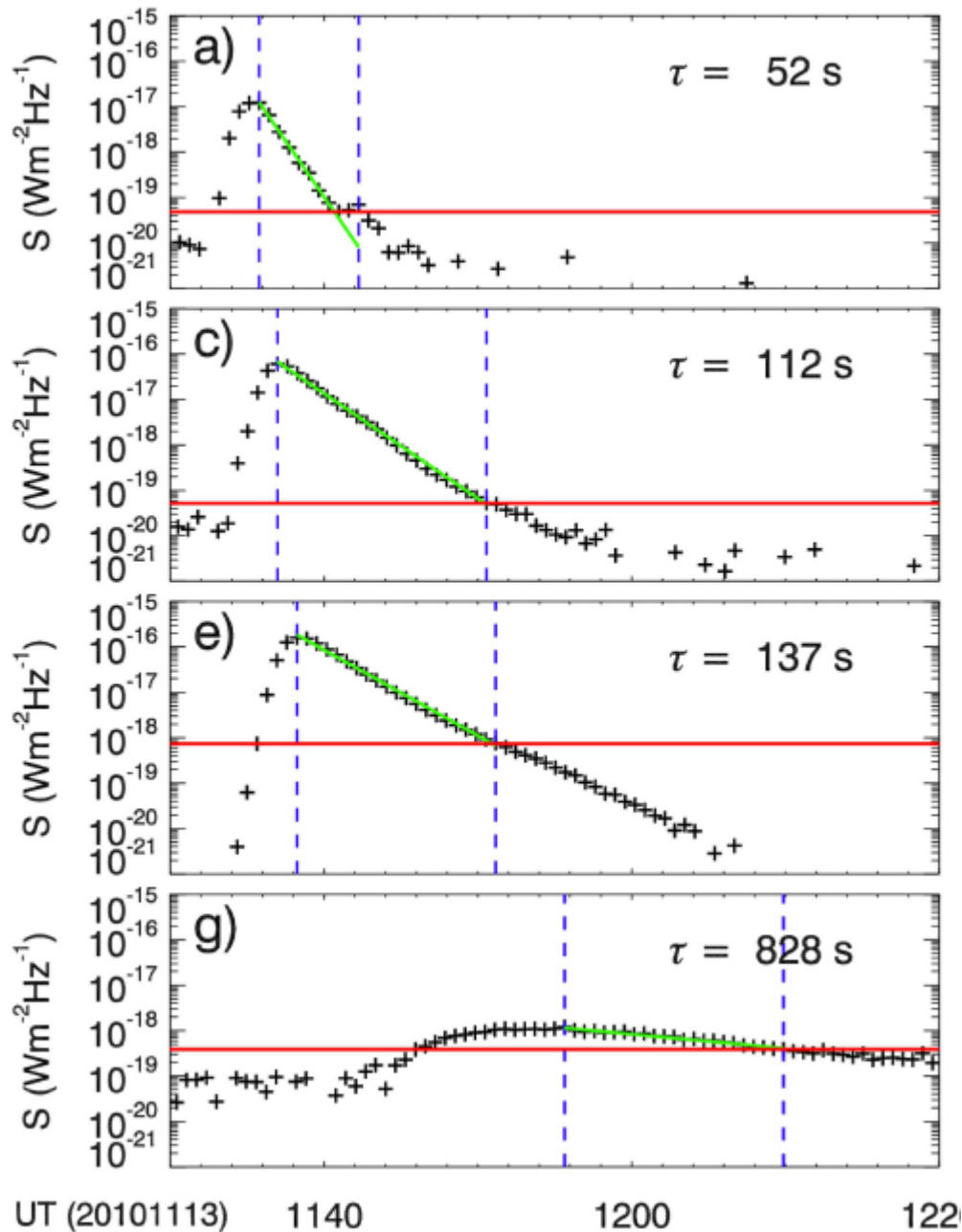


Bonnin, 2008

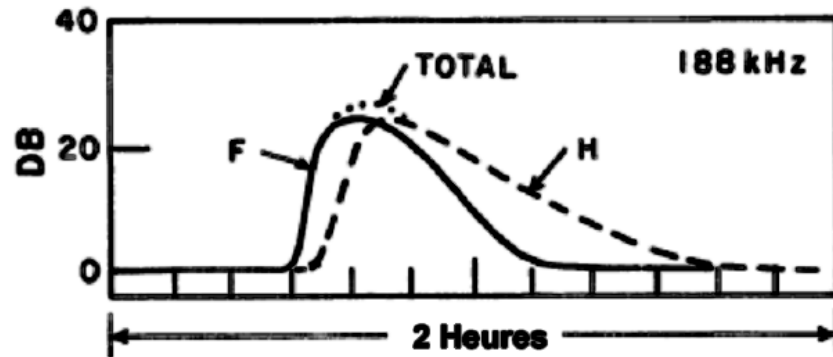
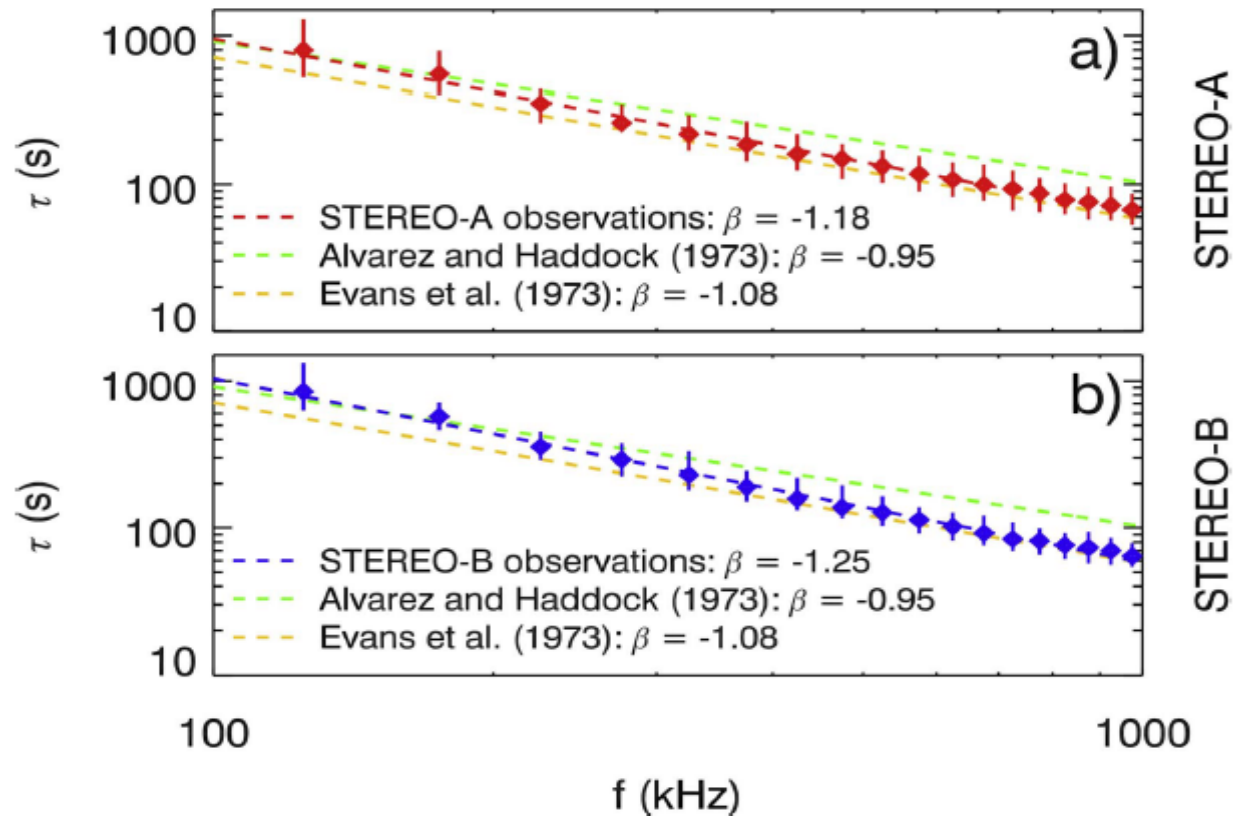
## STEREO-A

*Krupar et al., ApJ, 857, 2018*

STEREO-A

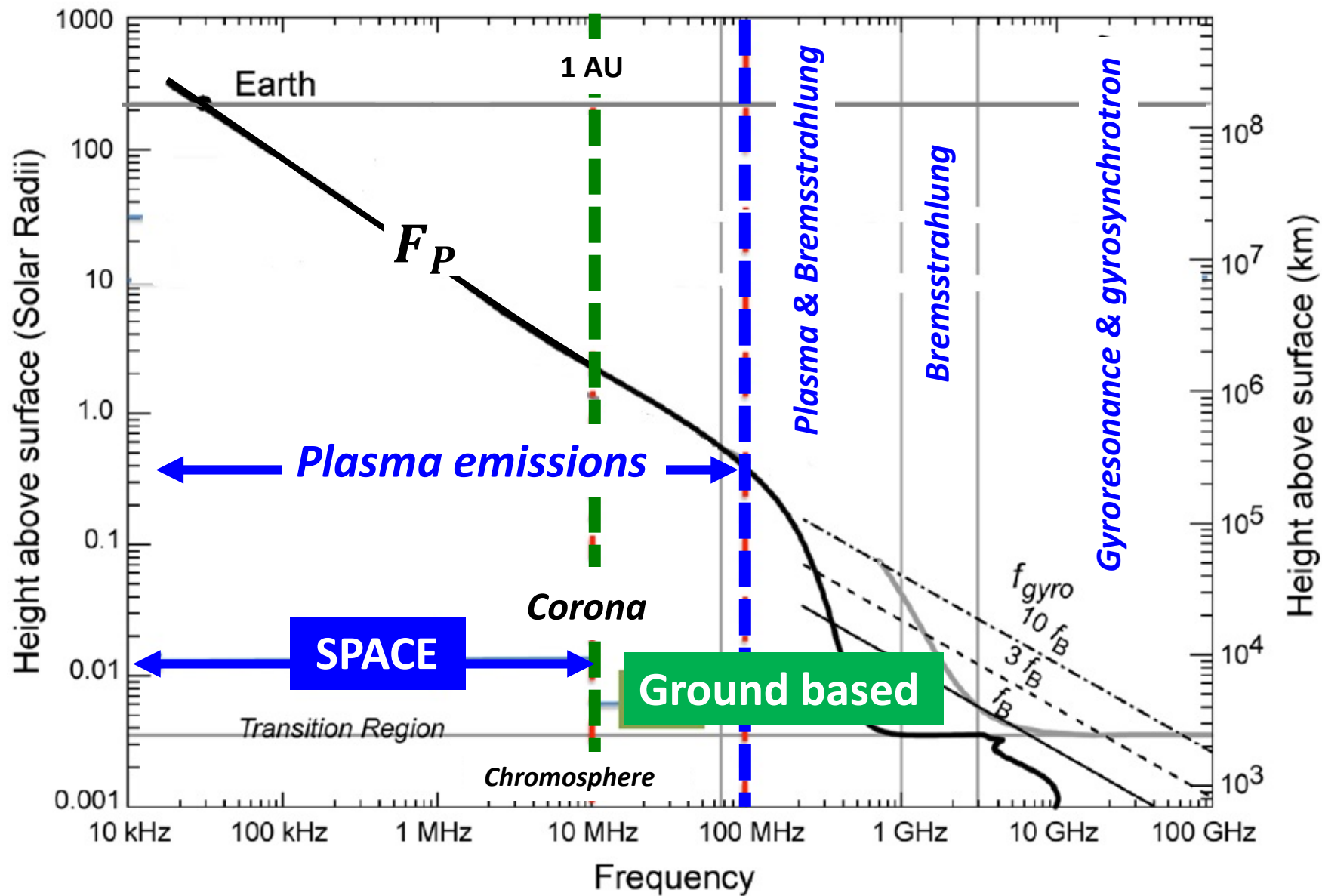


*Krupar et al., ApJ, 857, 2018*



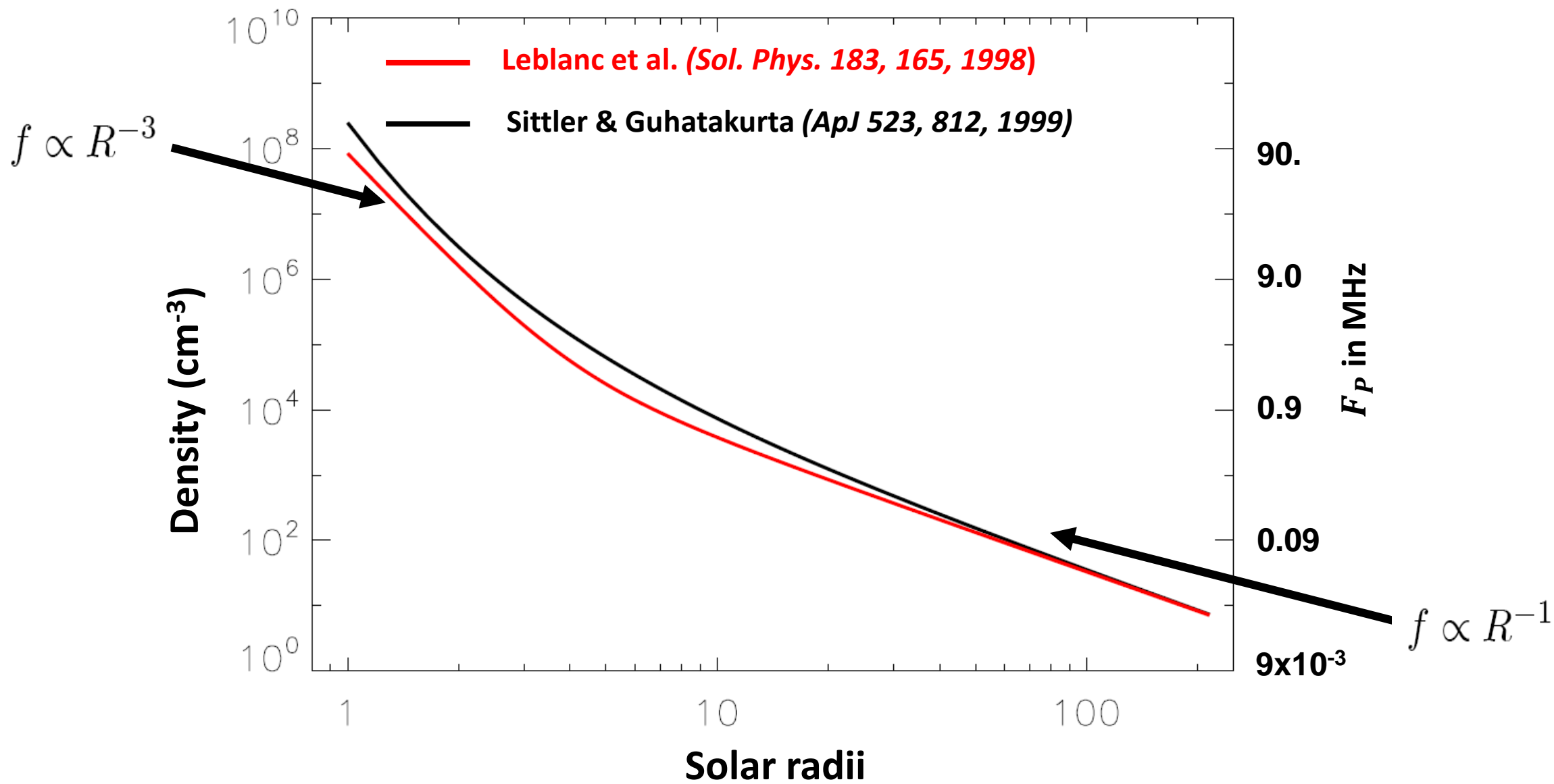
*Dulk et al., 1984*

# The Heliospheric radio/density model 1/2

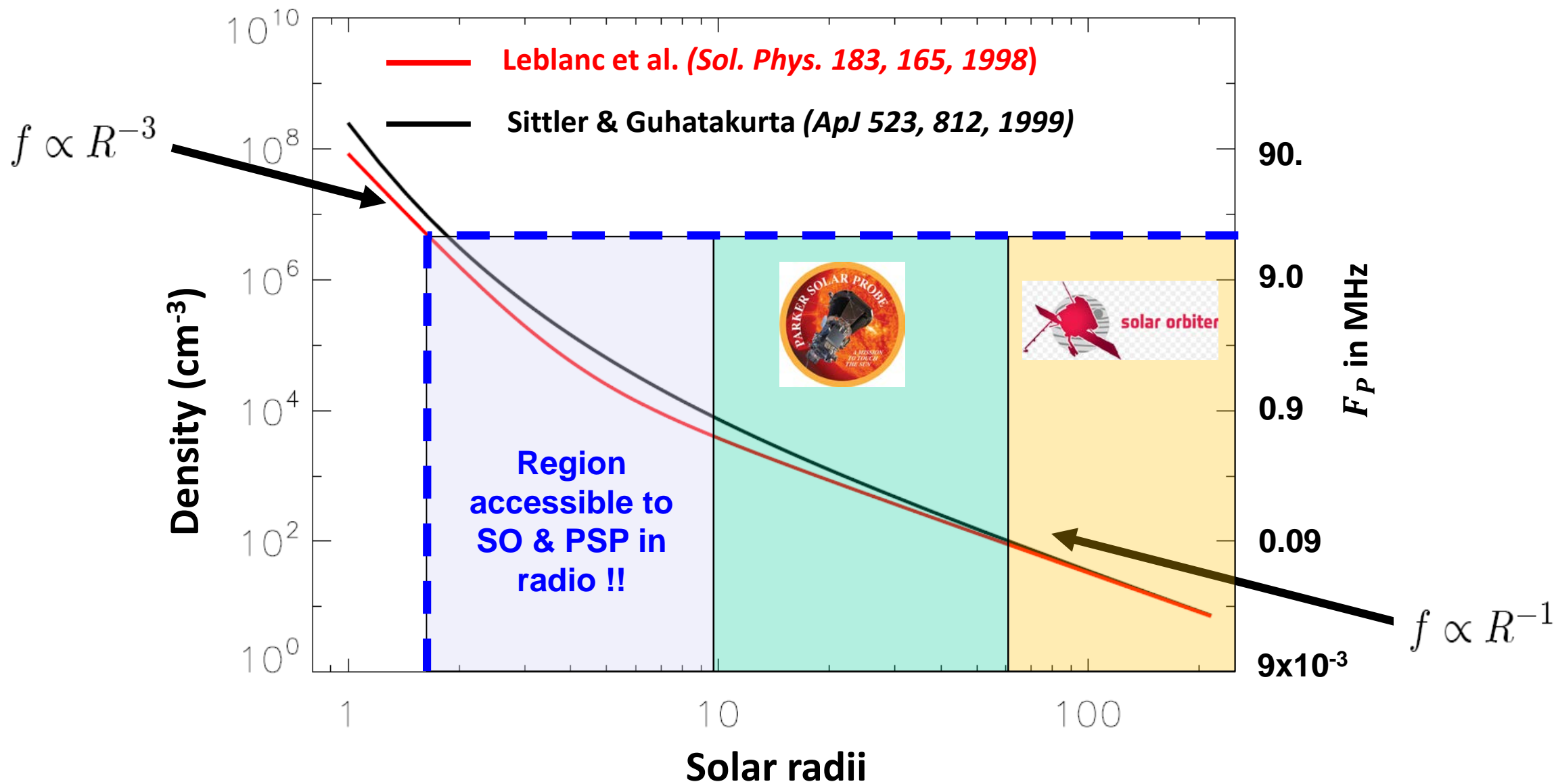




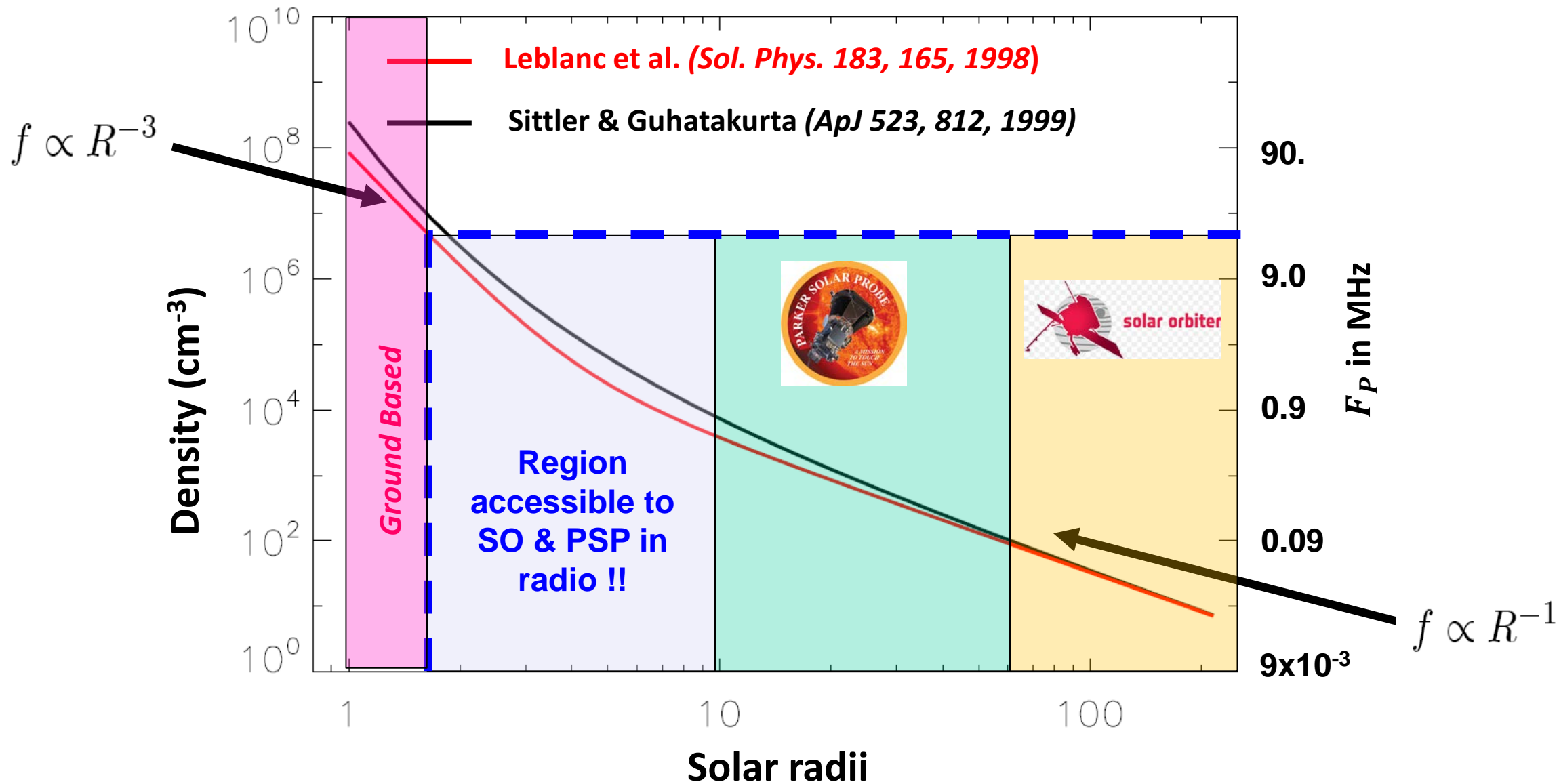
# The Heliospheric radio/density model 2/2



# The Heliospheric radio/density model 2/2

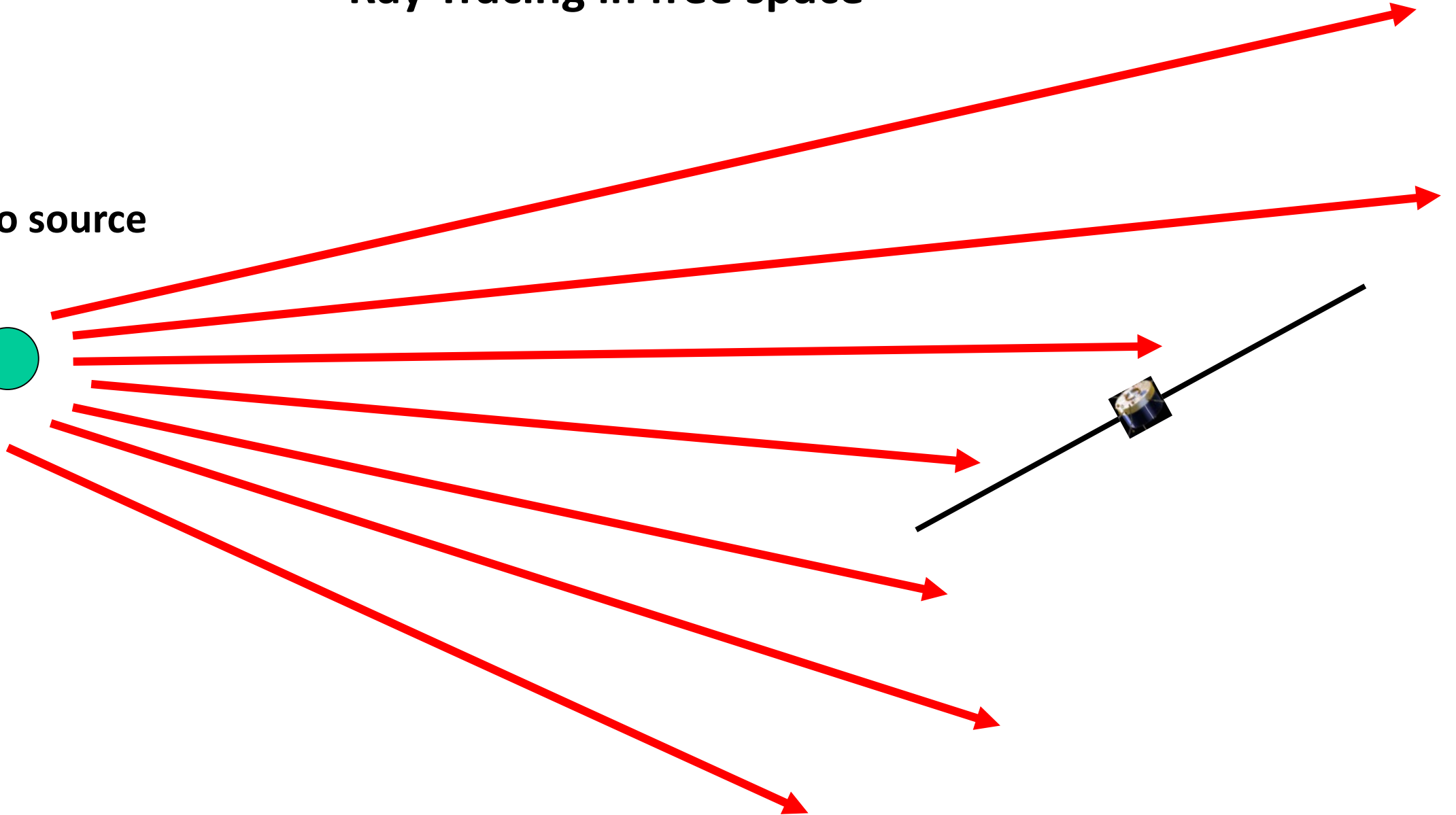
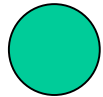


# The Heliospheric radio/density model 2/2



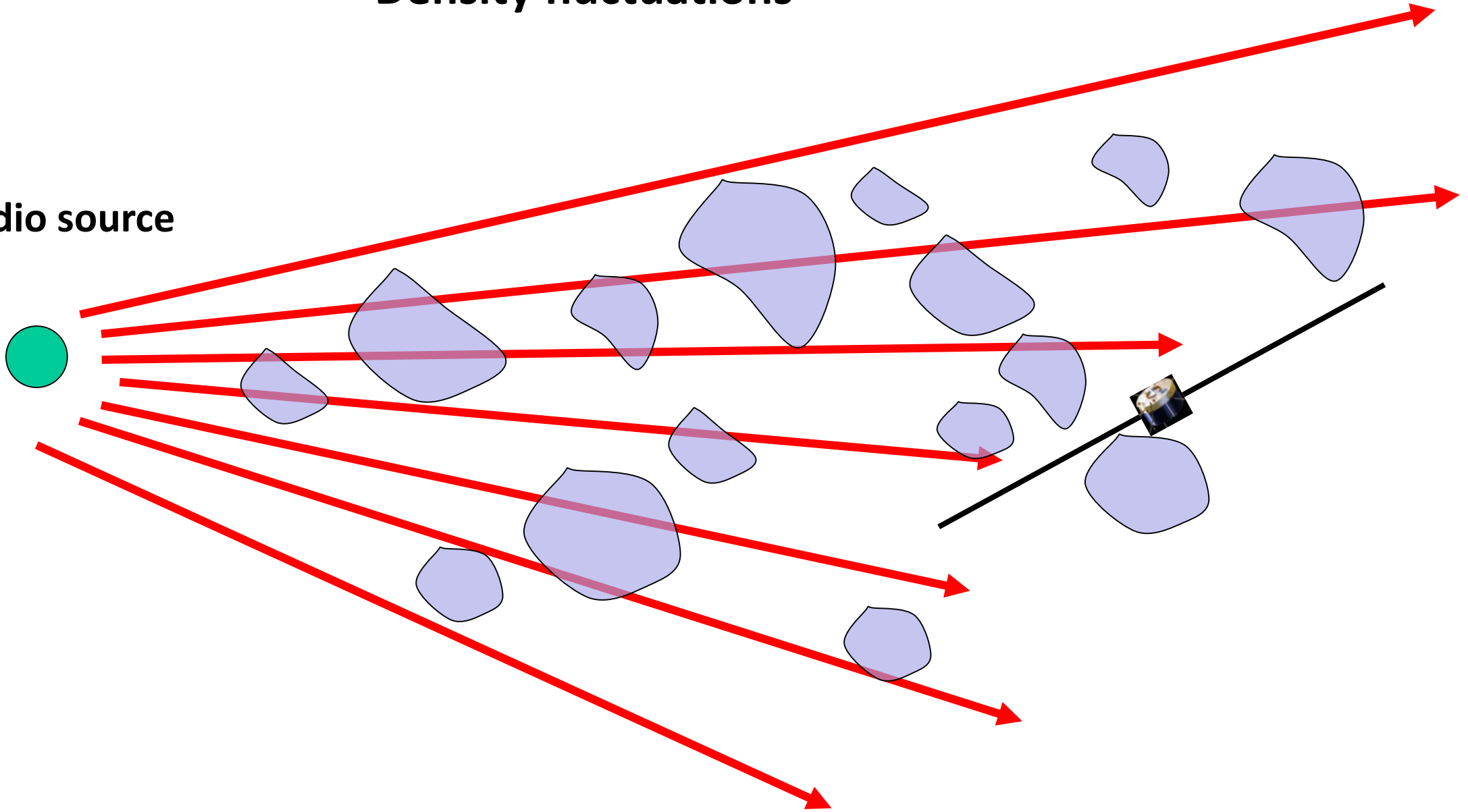
# Ray Tracing in free space

Radio source



# Density fluctuations

Radio source



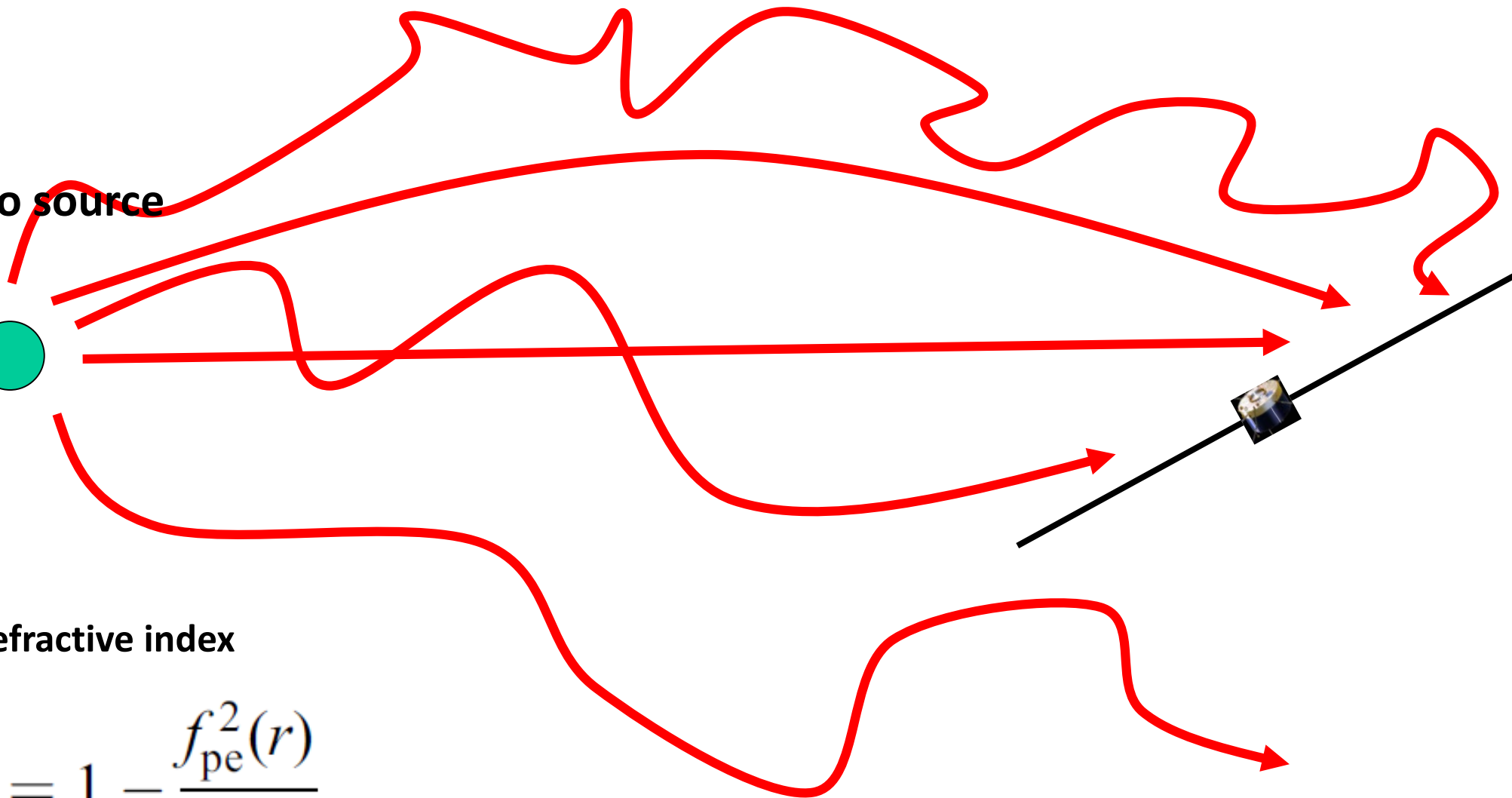
# Ray Tracing with density fluctuations

Radio source



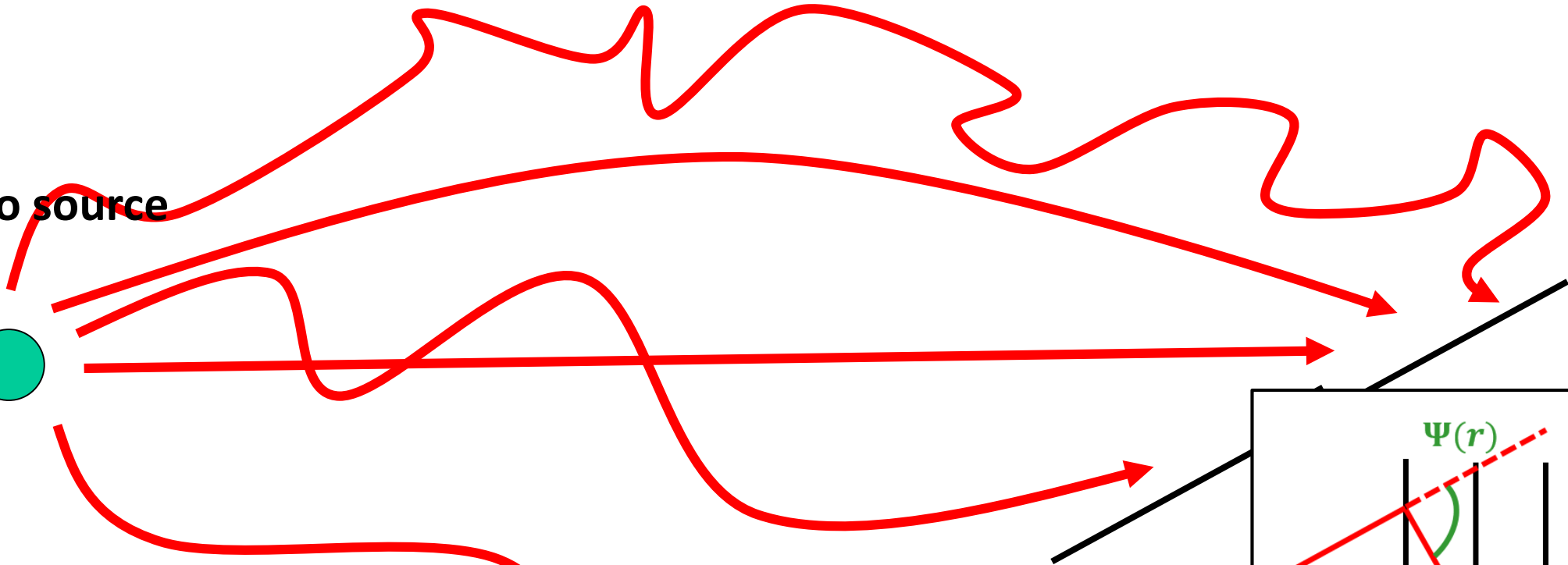
Radio refractive index

$$\mu^2(r) = 1 - \frac{f_{pe}^2(r)}{f^2}$$



# Ray Tracing with density fluctuations

Radio source

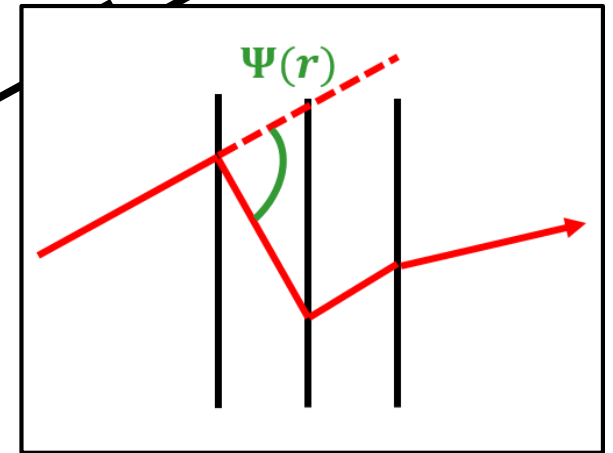


Radio refractive index

$$\mu^2(r) = 1 - \frac{f_{pe}^2(r)}{f^2}$$

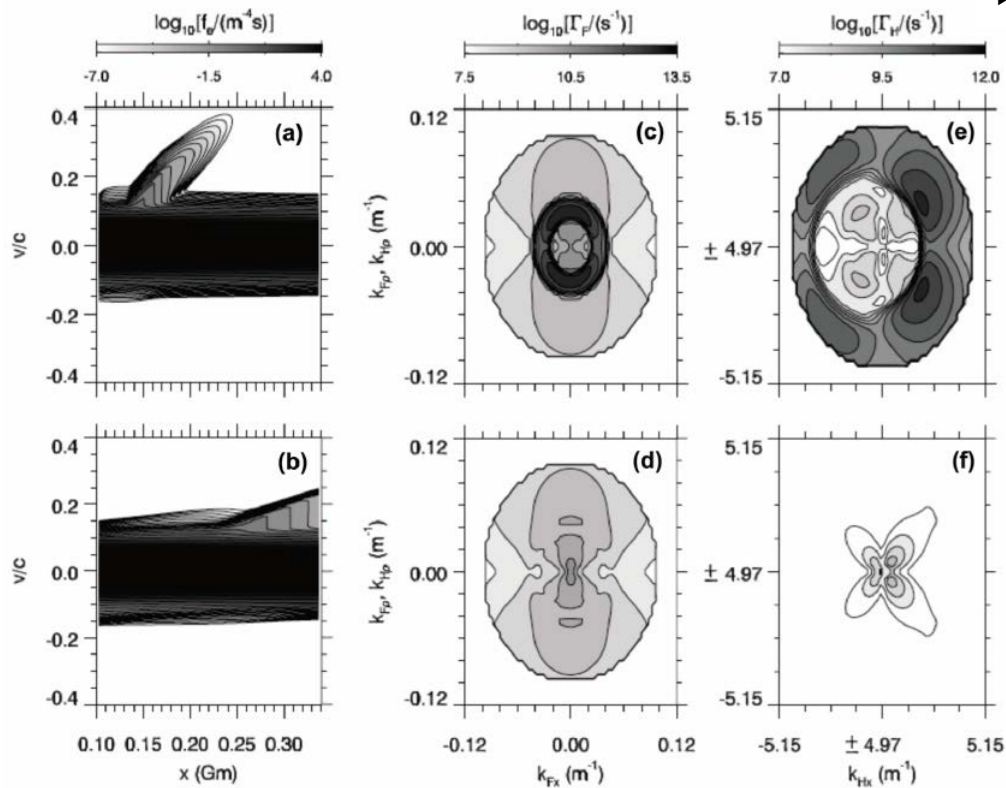
$$\langle \Psi^2 \rangle = \frac{r_e^2 \lambda^4}{\pi \mu^4} \int_{k_0}^{k_i} P_n(k) k^2 d^2 k \times \Delta S$$

$$P_n(k, r) = \varepsilon \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_0 (r) \times k^{\alpha(r)}$$

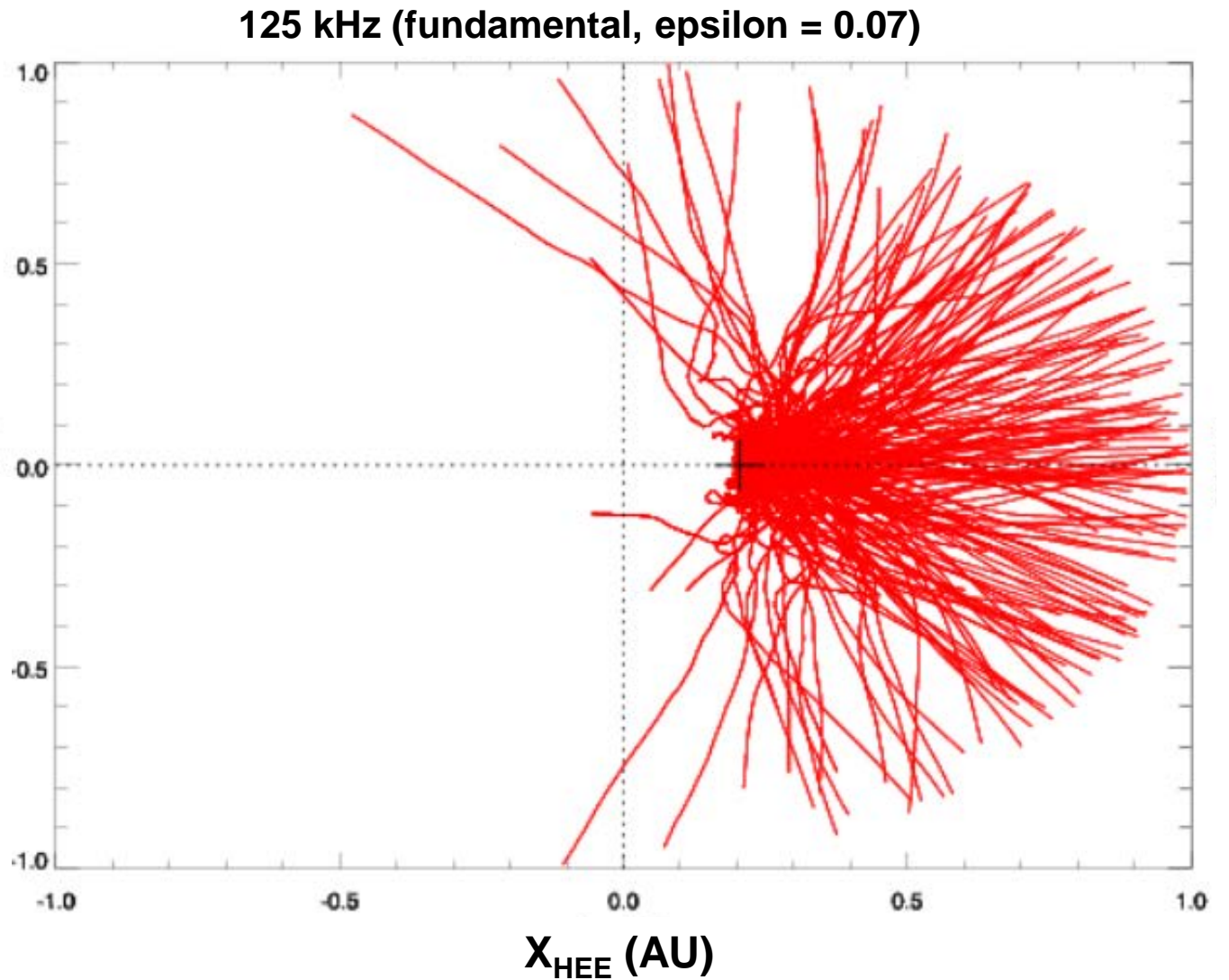


From the spectrum of  $\delta n/n$  there is a given distribution of  $\langle \Psi^2 \rangle$  from which one can do Monte Carlo simulations

- 125 kHz emitted @ ~ 0. AU
- 200 rays
- Isotropic radio source diagram



$Y_{HEE}$  (AU)

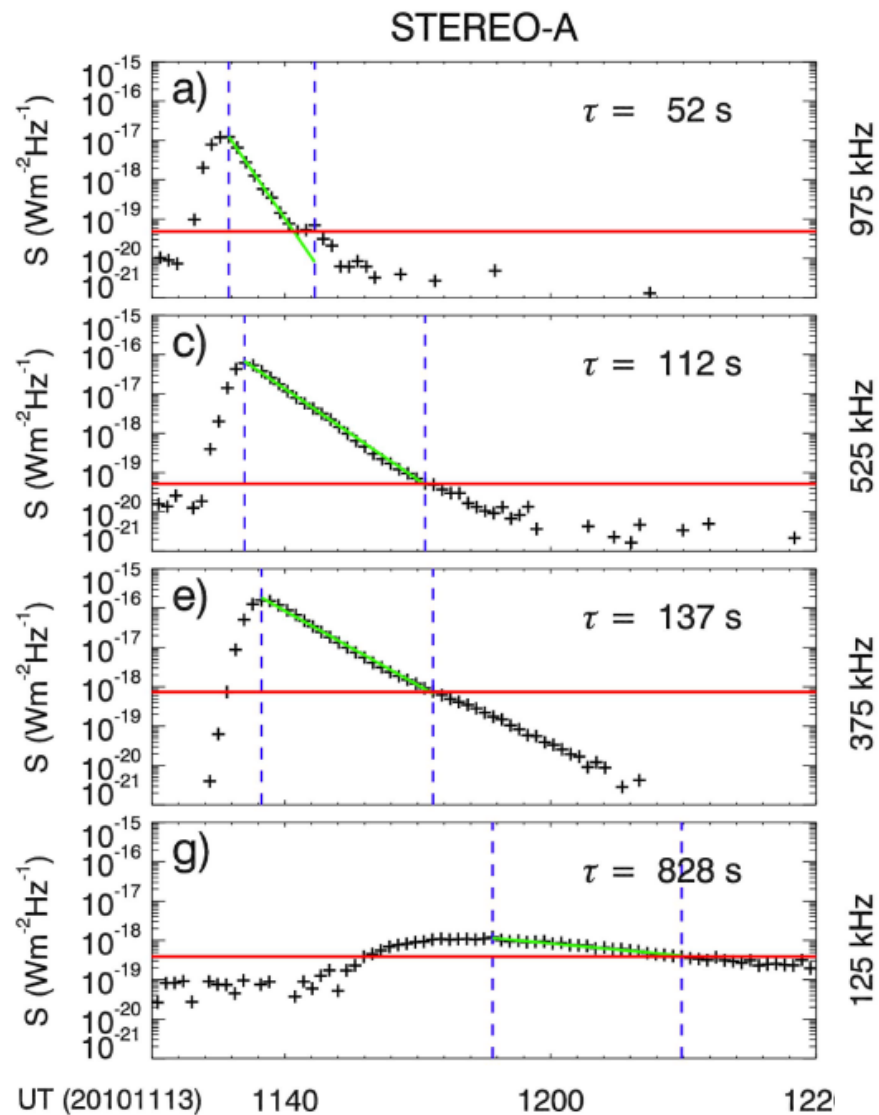


200 rays

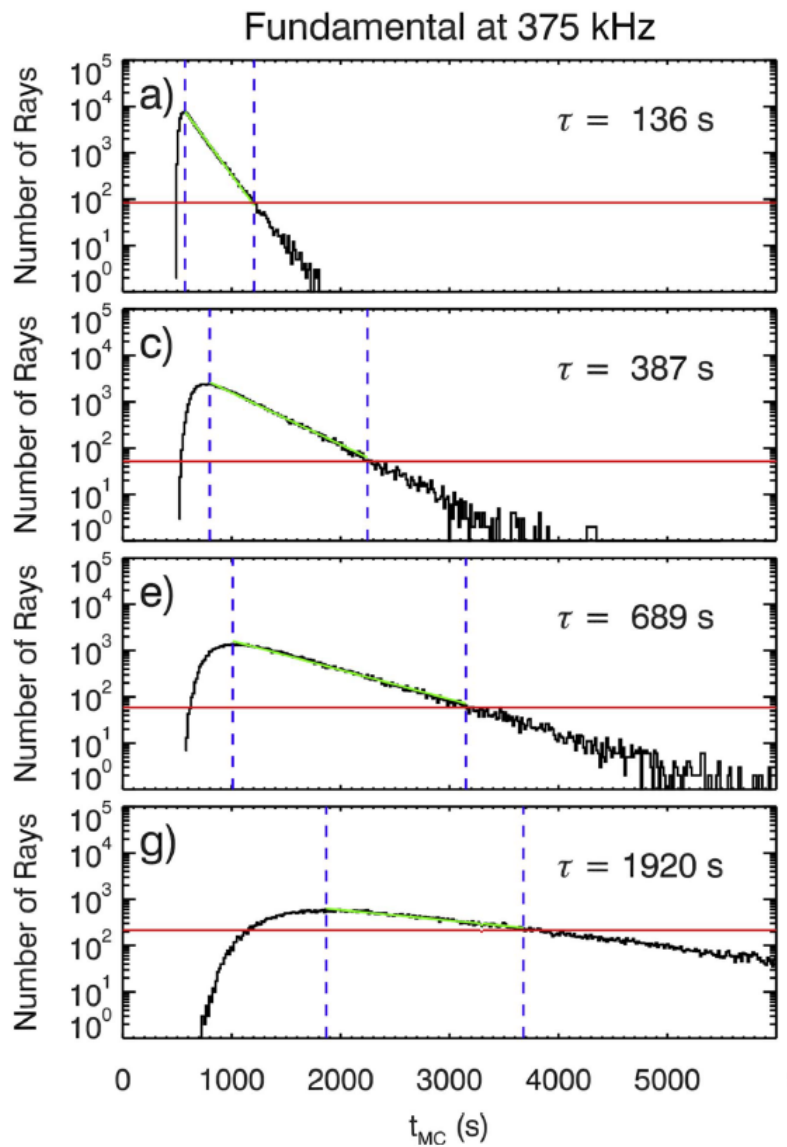
*Li et al, 2008*



# Observations



# ray tracing simulations



$$P_n(k, r) = \varepsilon \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_0(r) \times k^{\alpha(r)}$$

$\varepsilon = 0.05$

$\varepsilon = 0.10$

$\varepsilon = 0.15$

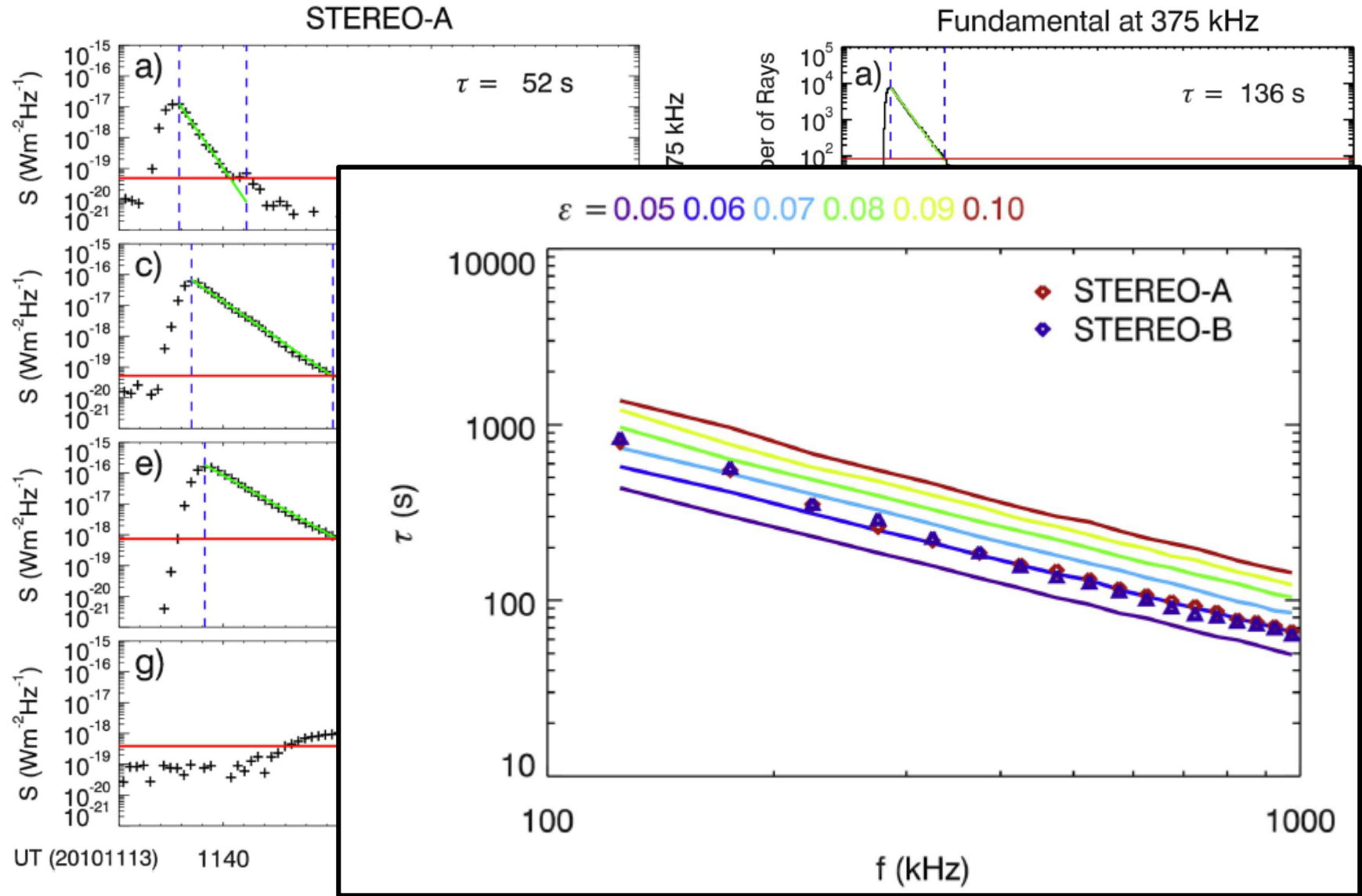
$\varepsilon = 0.30$

$$\alpha(r) = -\frac{11}{3}$$

Increasing  
level of  
fluctuations

# Observations

# ray tracing simulations



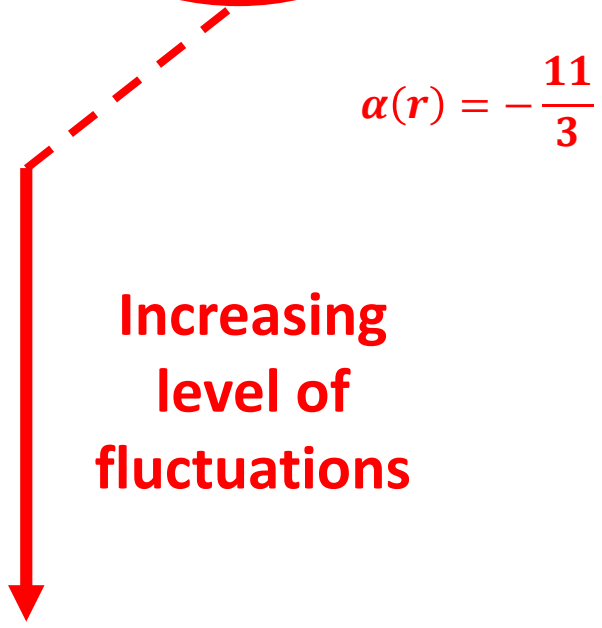
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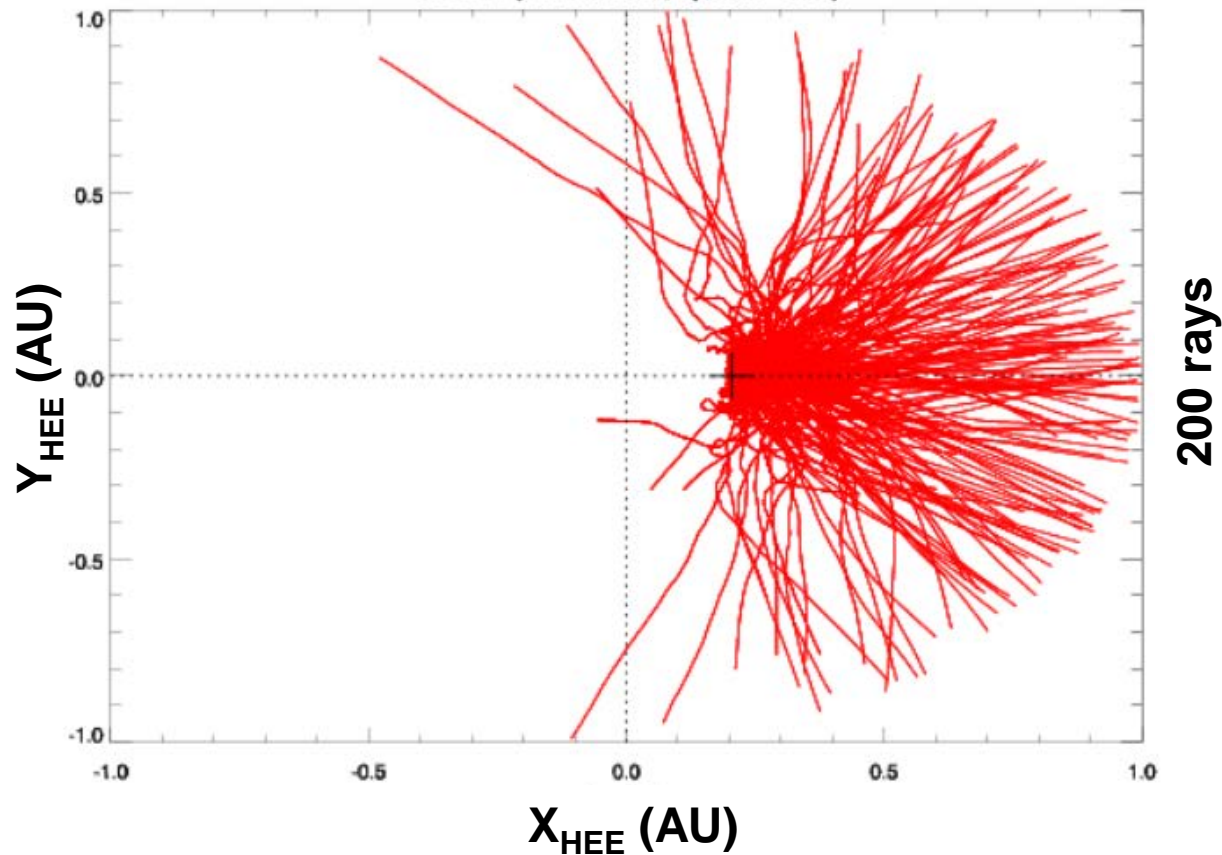
$$\alpha(r) = -\frac{11}{3}$$

# And the effect of anisotropic density fluctuations ?

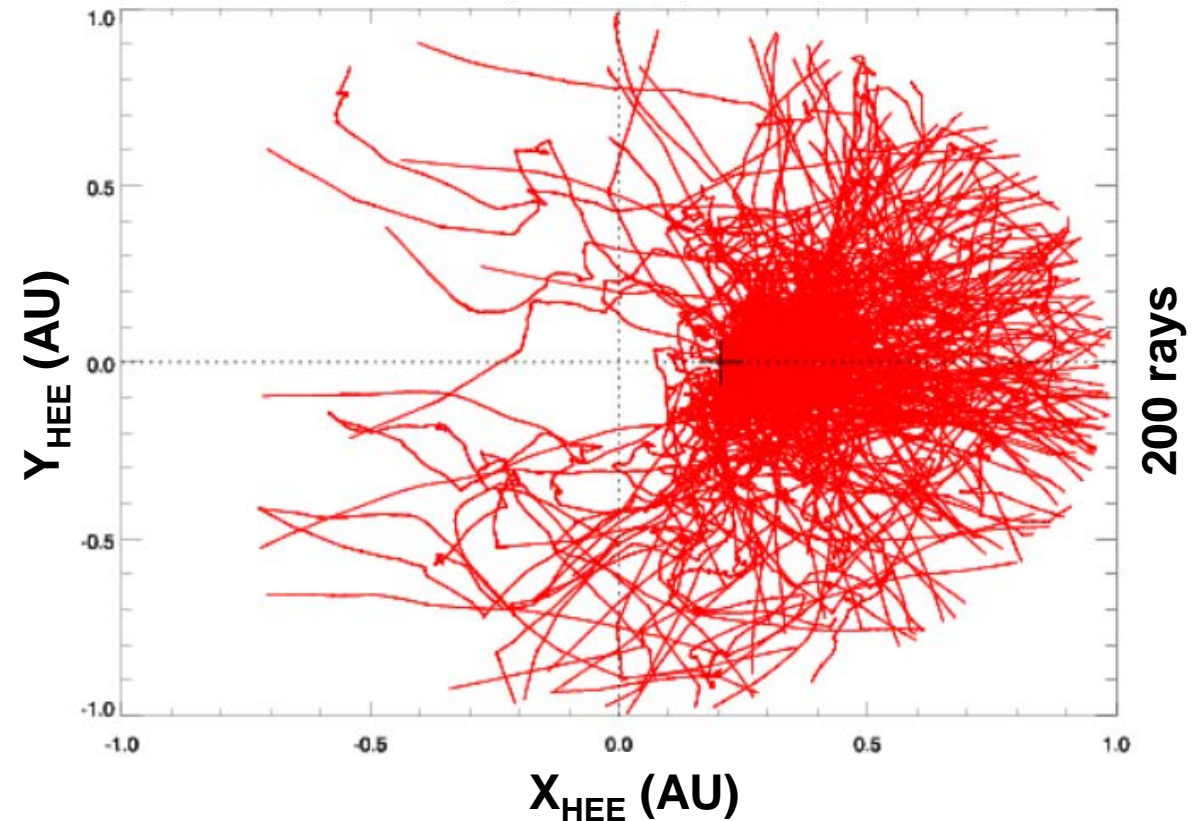
$$\left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\perp} > \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\parallel}$$

$$\left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\perp} = \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\parallel}$$

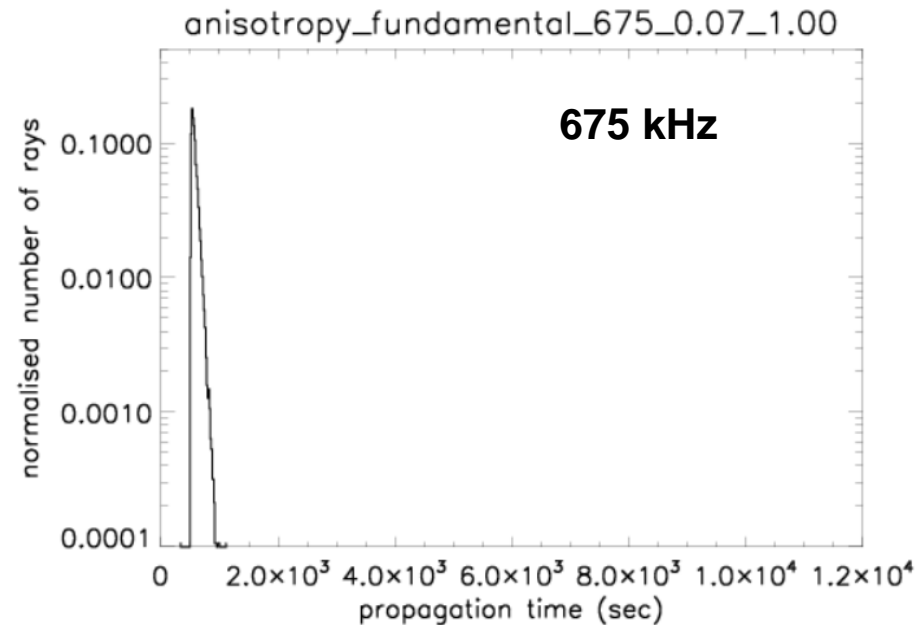
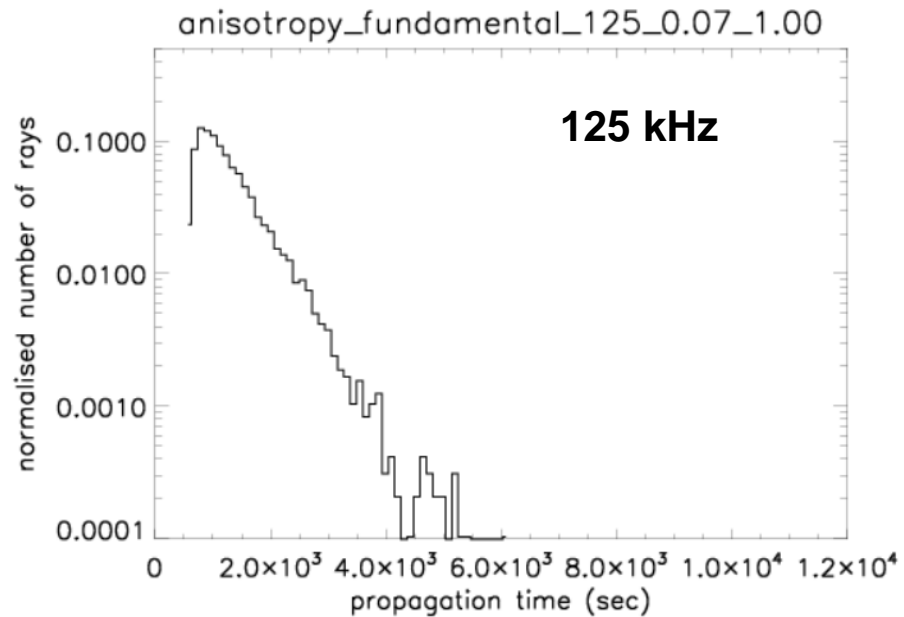
125 kHz (fundamental, epsilon = 0.07)



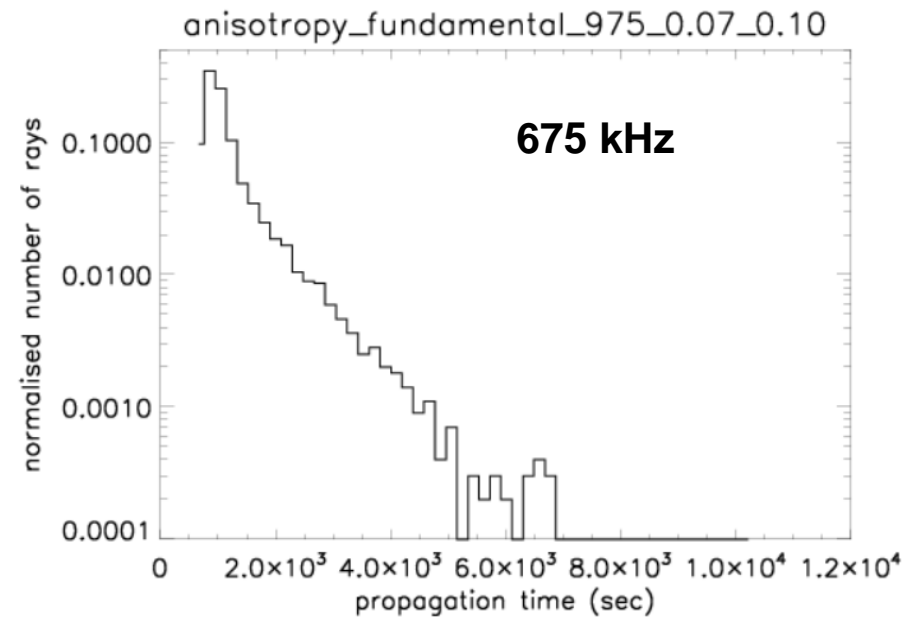
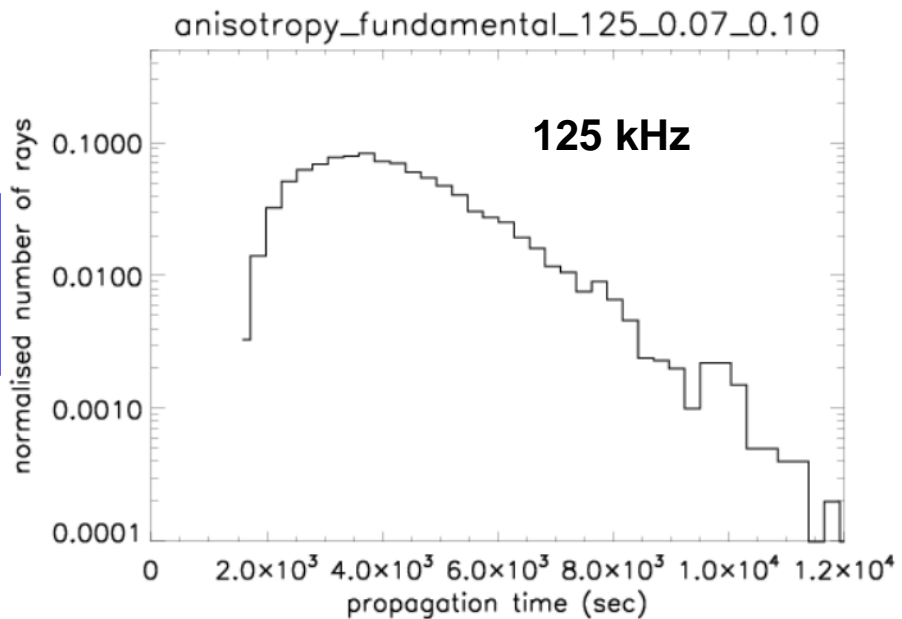
125 kHz (fundamental, epsilon = 0.07)



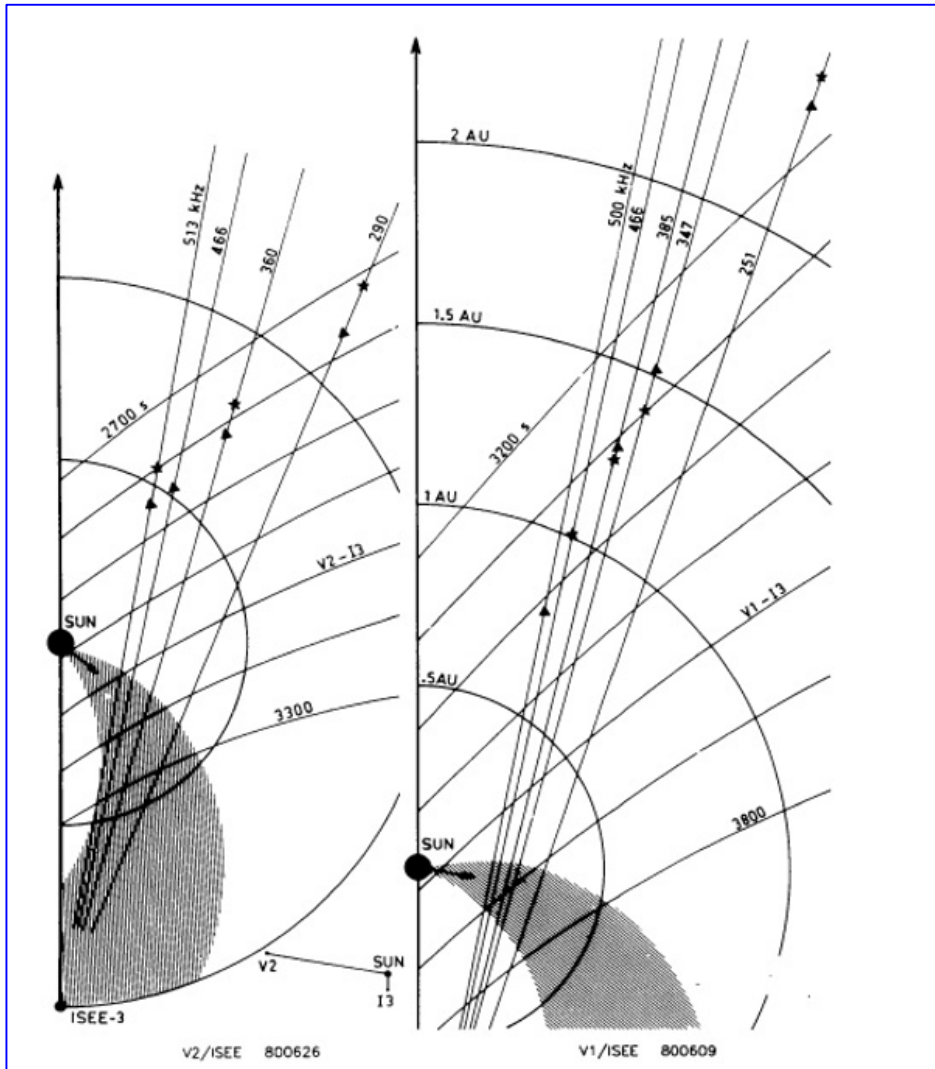
$$\left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\perp} = \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\parallel}$$



$$\left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\perp} > \left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle_{\parallel}$$

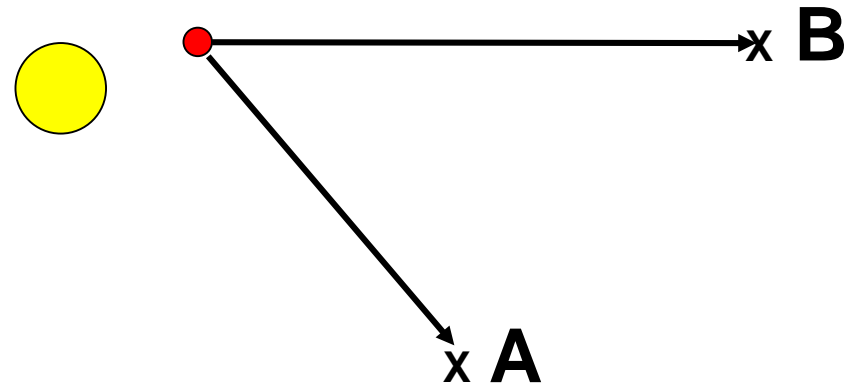


# And the source location ?



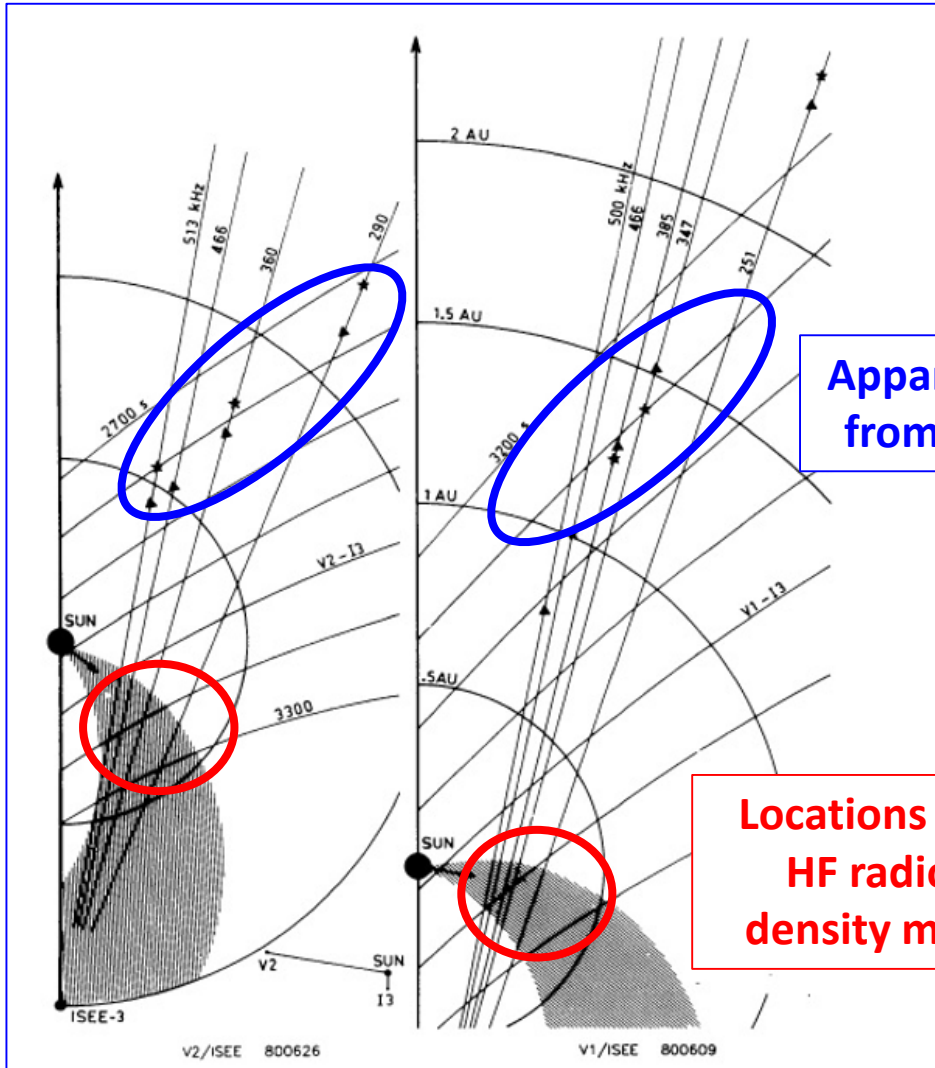
*Steinberg et al., 1984*

Source location from the intersection between 2 S/C with  
Direction Finding capabilities  
Or/and from timing between two S/C

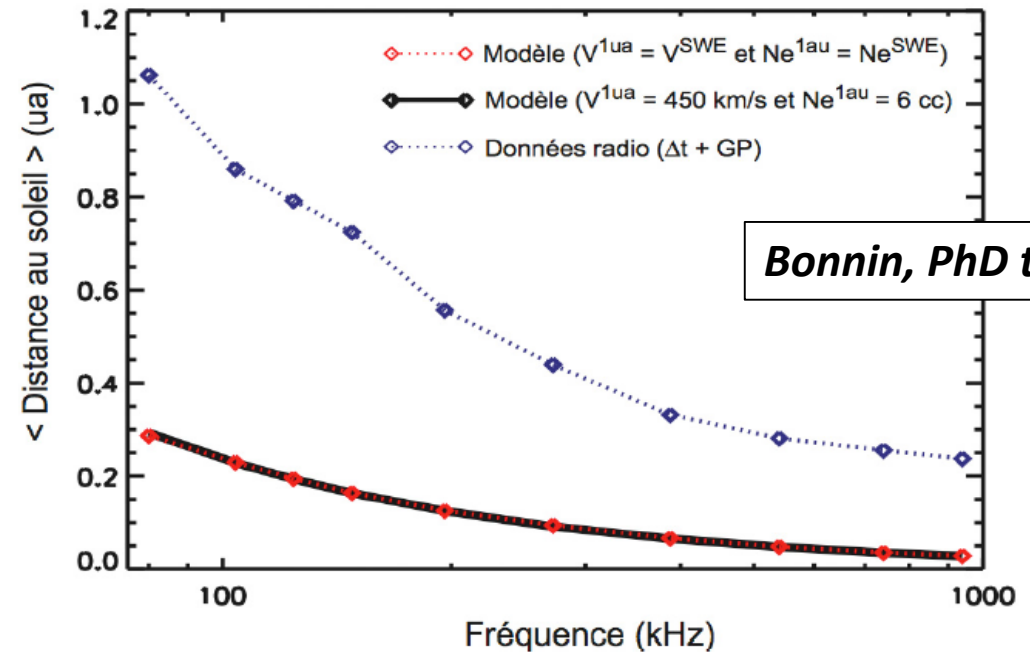
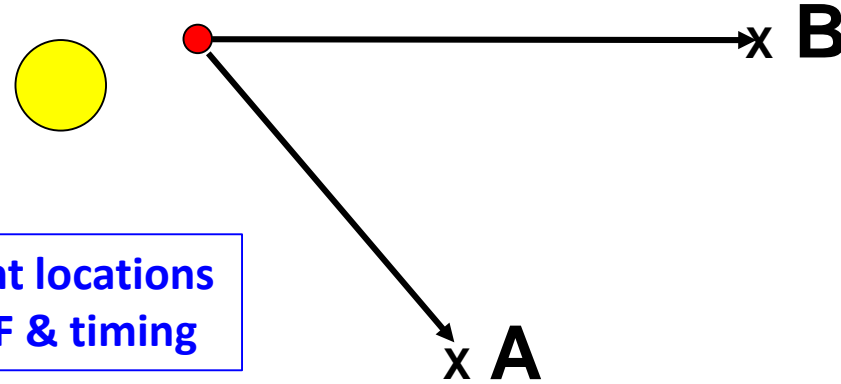


# And the source location ?

Source location from the intersection between 2 S/C with Direction Finding capabilities  
Or/and from timing between two S/C



Steinberg et al., 1984

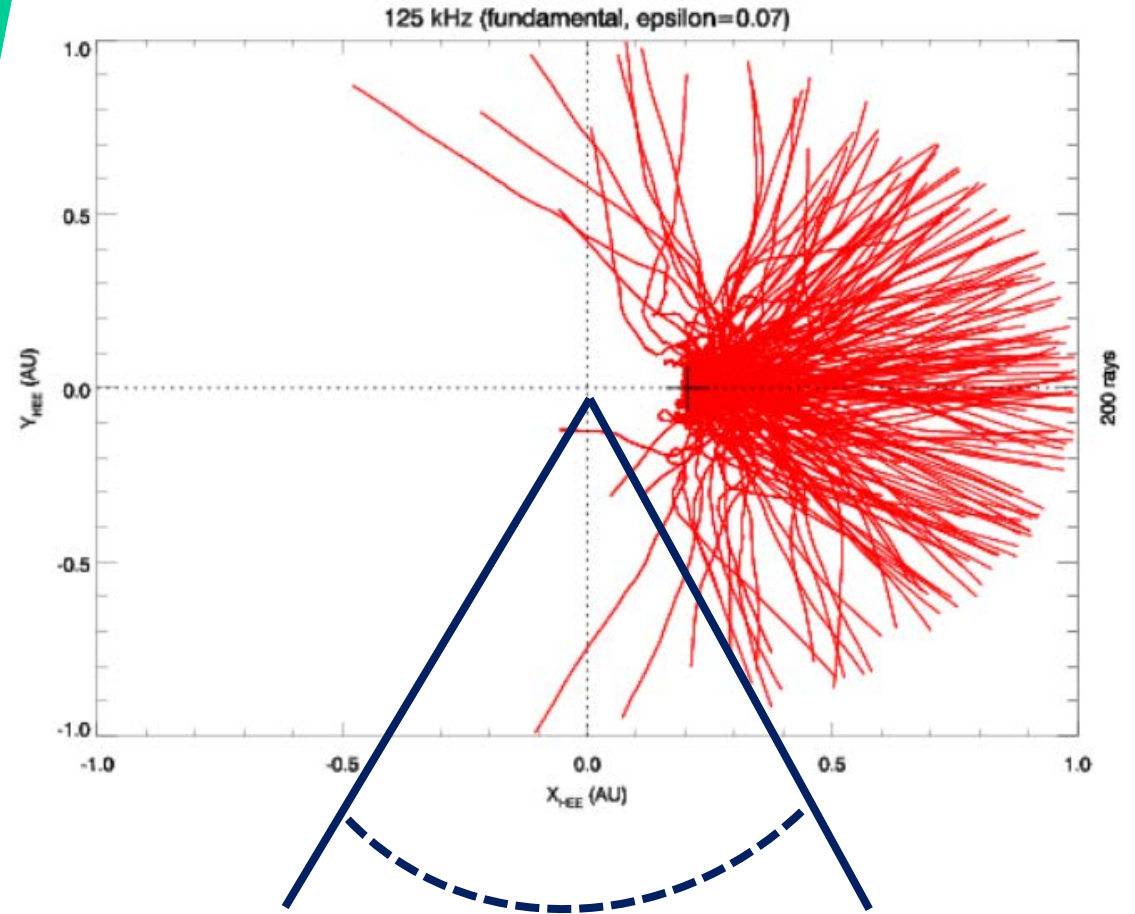
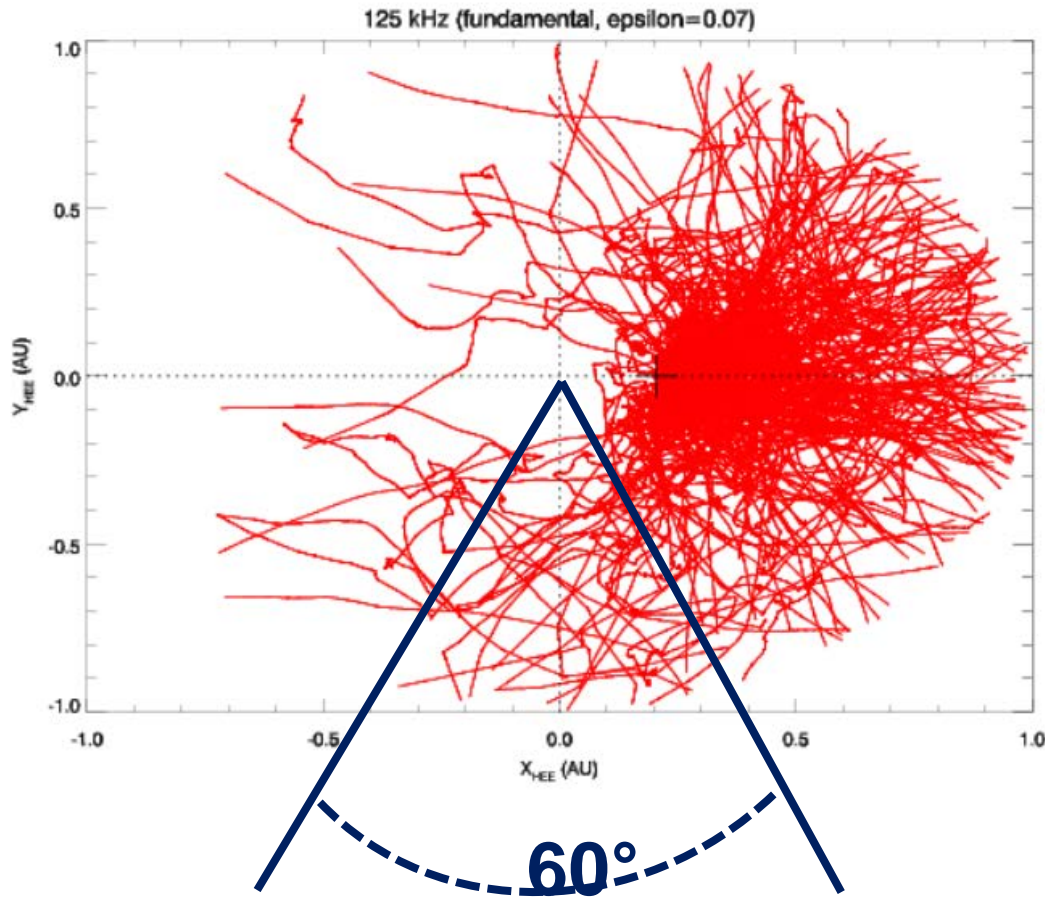


Bonnin, PhD thesis, 2010

$\perp$  scattering  $\gg$   $\parallel$  scattering

Actual simulations  
with 10000 rays !

Isotropic scattering



Observer looking the projection on  $(\vec{X}, \vec{Z})$  plane  
Integration of all rays within the 60° displayed

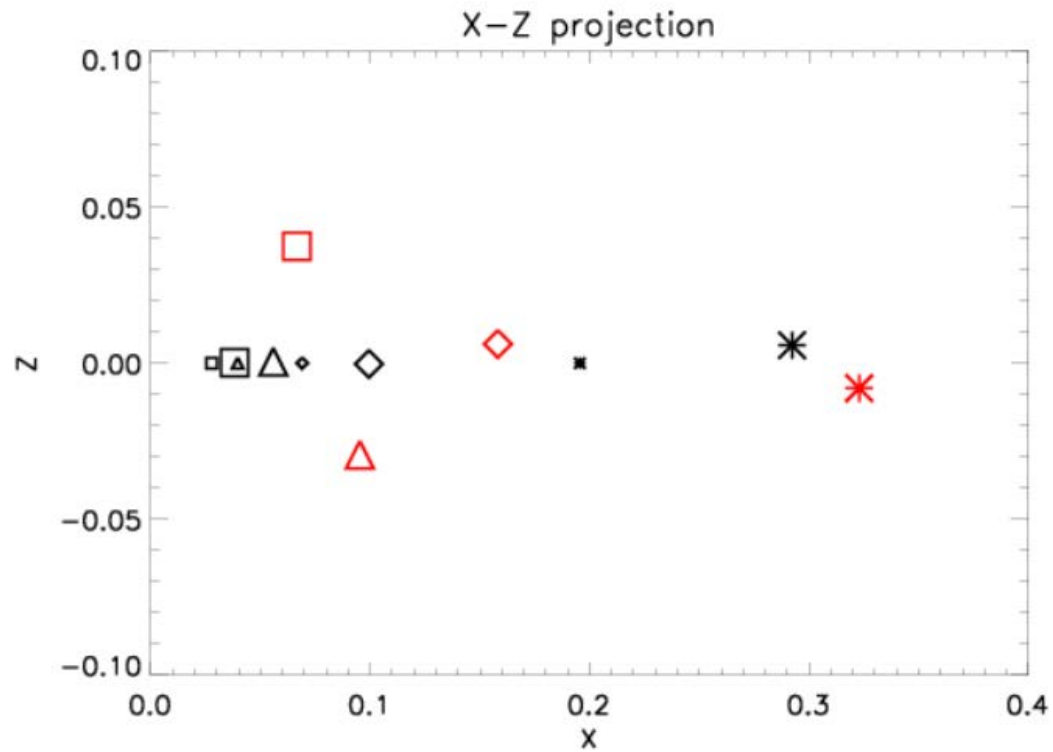


Black = isotropic scattering

Red = anisotropic

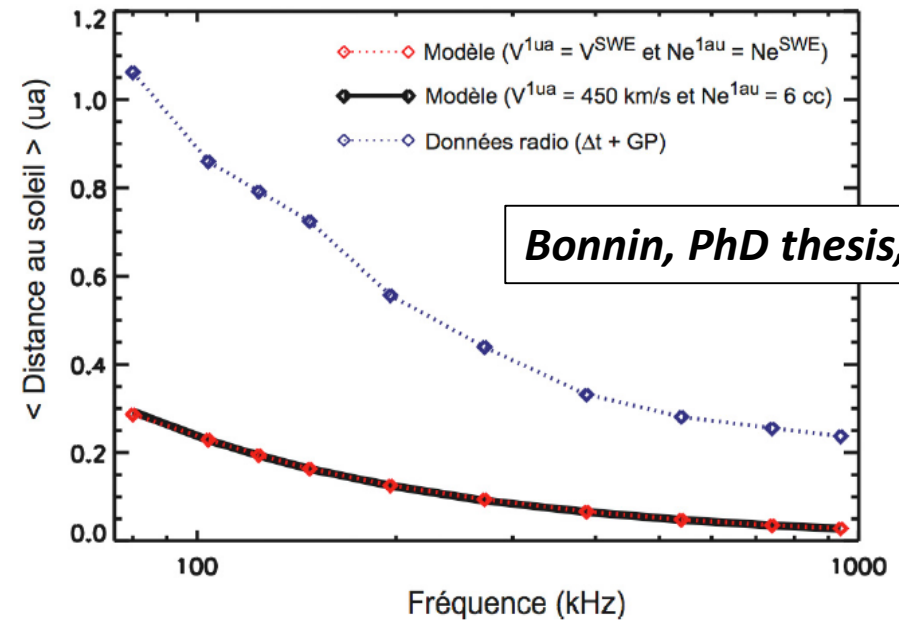
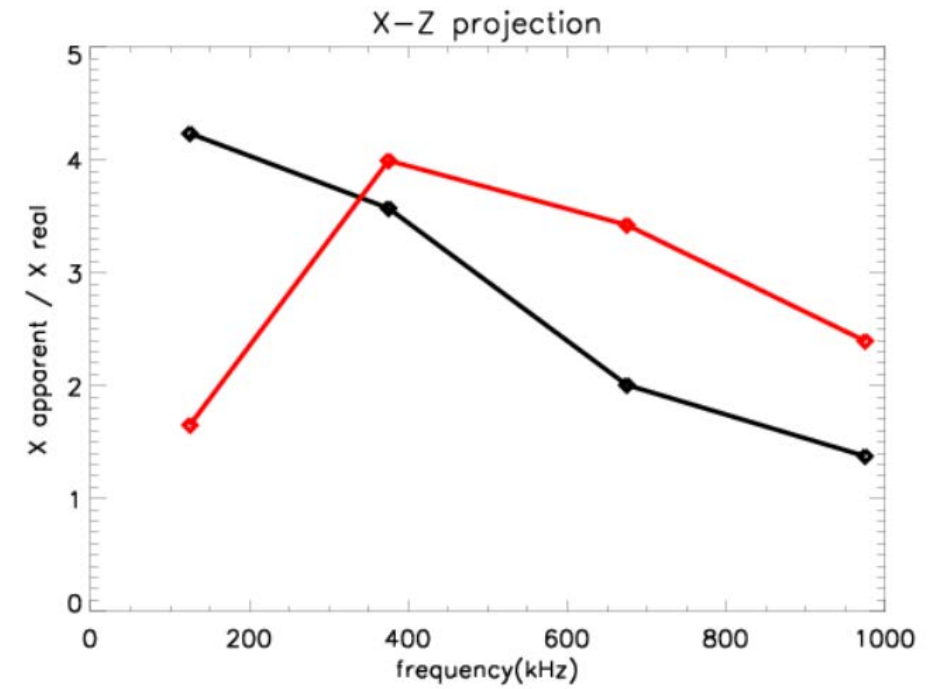
Small symbols = real position

Large symbols = apparent position



□ 975 kHz    ◇ 375 kHz

△ 675 kHz    \* 125 kHz

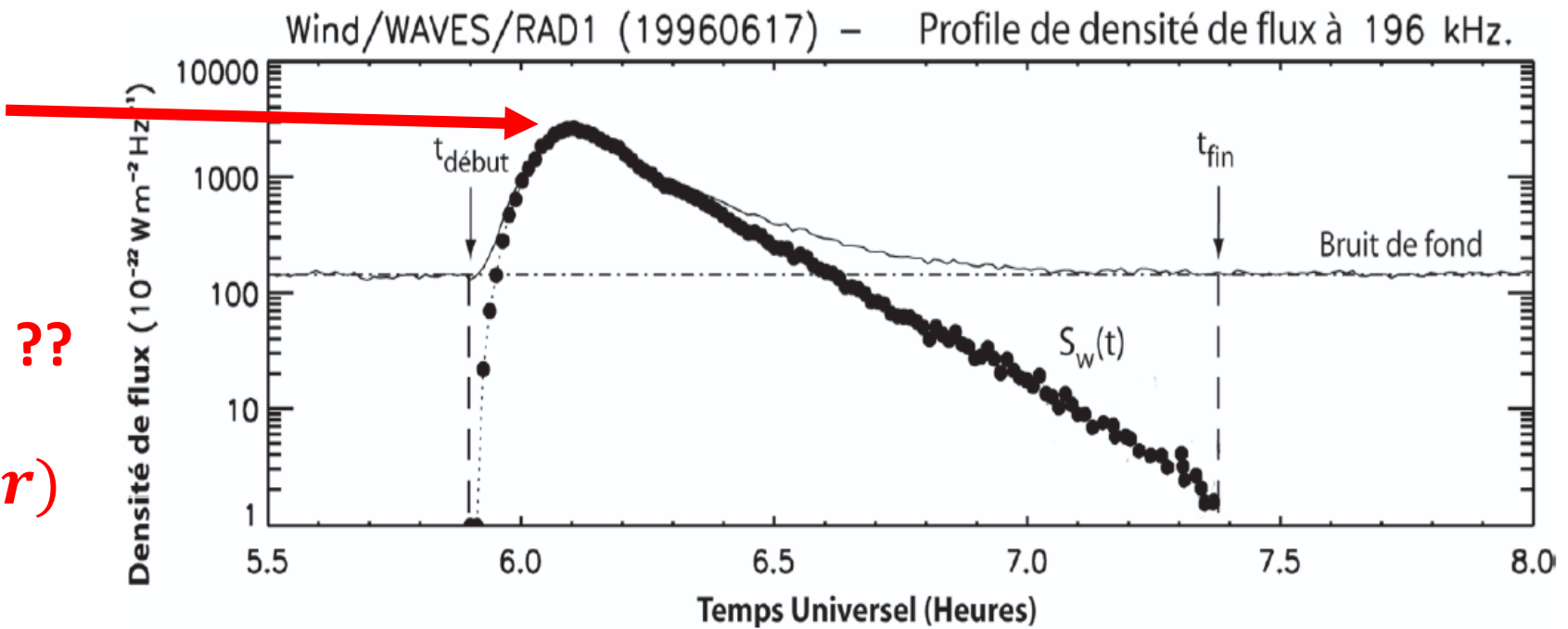


*Bonnin, PhD thesis, 2010*



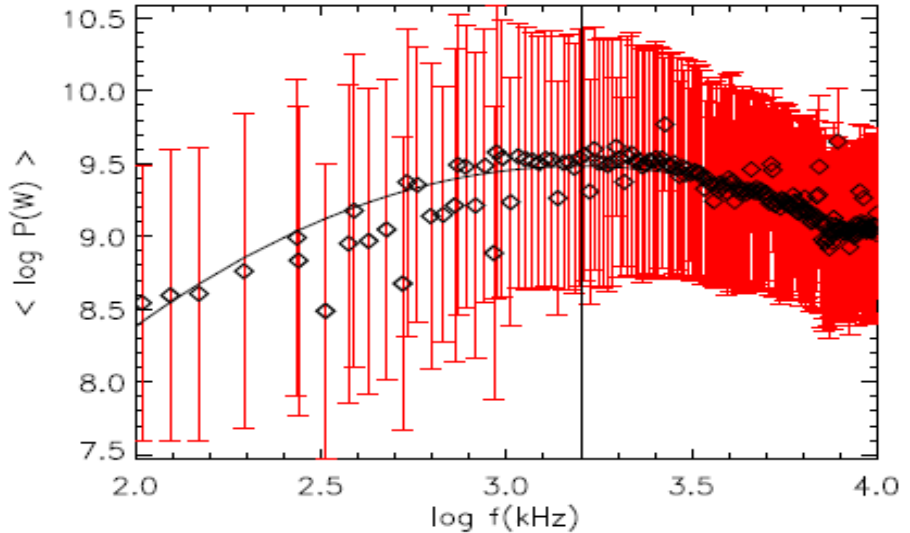
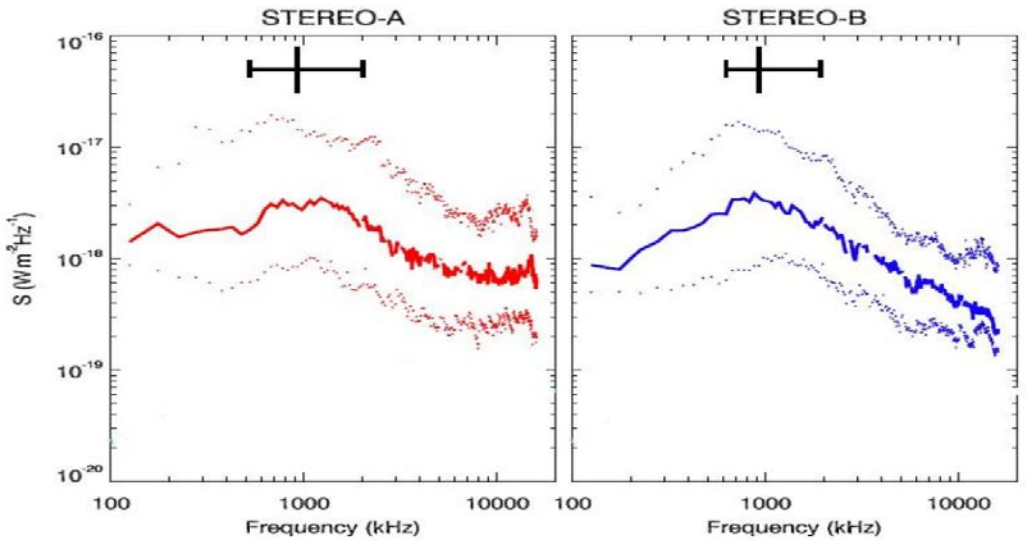
# And the peak flux ?

- Maximum at around 1 MHz or  $\sim 7$  to  $10 R_S$
- Solar Wind Alven radii ??
- Maximum of  $\left\langle \left( \frac{\delta n}{n} \right)^2 \right\rangle (r)$

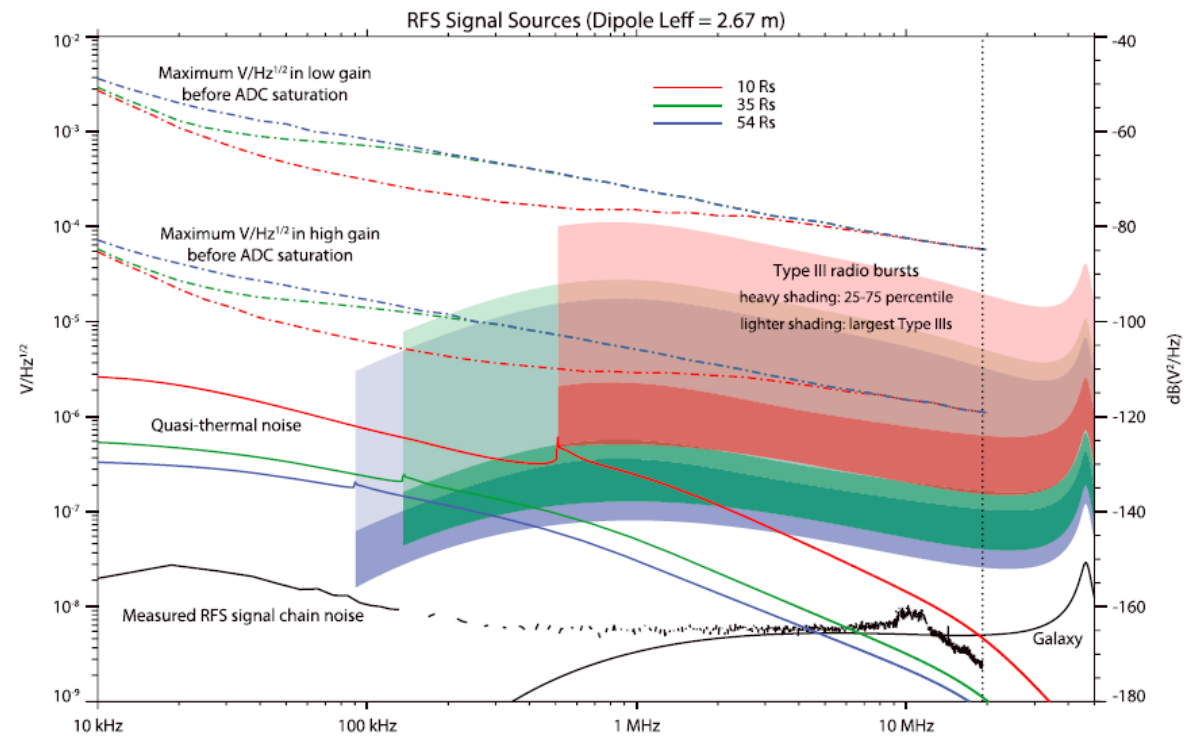
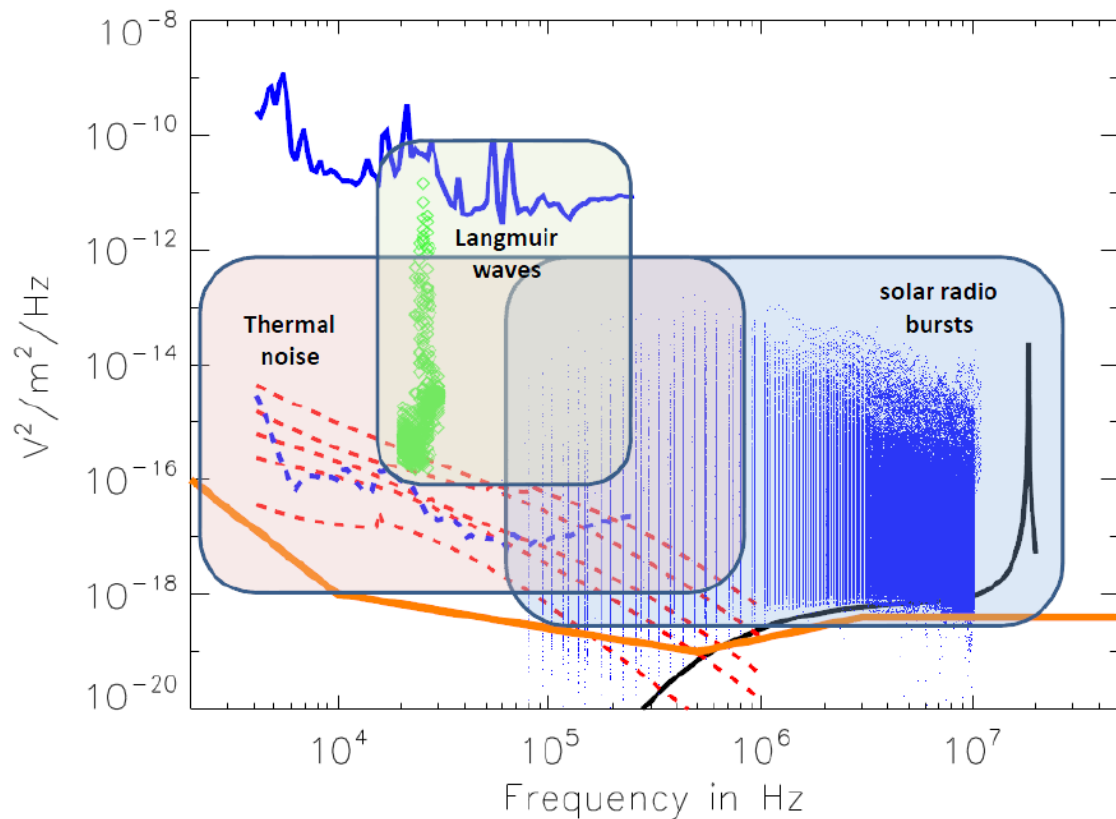


Krupar, 2012 PhD thesis, Krupar et al. 2013

154 Type III observed both by Stereo A & Stereo B

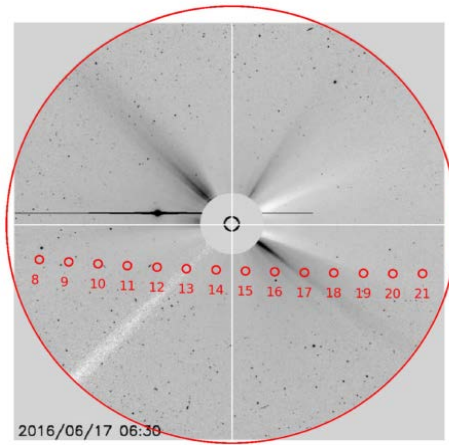


Bonnin, 2008  
 '2000 Type IIIs  
 Weber, 1978

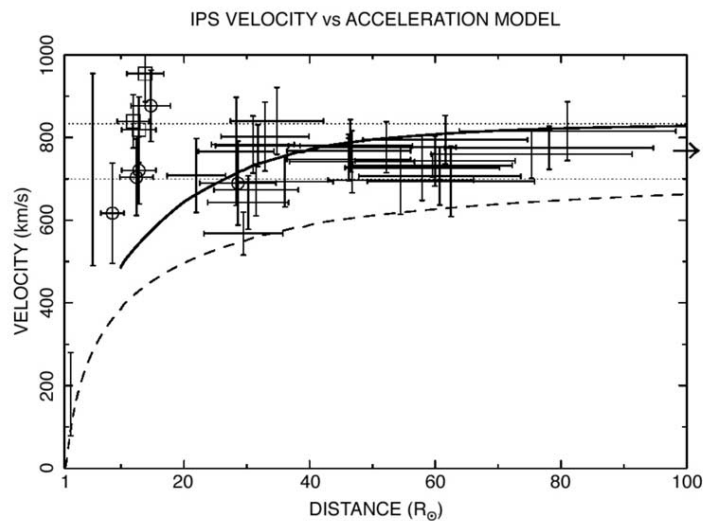


**Possible measurement of the radio counterplart of Parker's Nanoflares ?!**

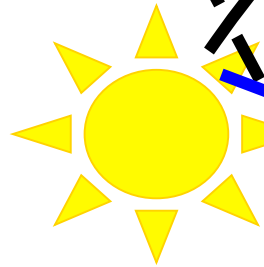
# Synergy PSP – SO – ground based radio observatories



- Raja et al 2017, Turbulent Density Fluctuations and Proton Heating Rate, from 9–20 Rs (Coles et al. Etc )
- LOFAR observations of Type IIIs, Kontar et al, Nature 2018
- Etc ...



Interplanetary radio scintillation, Grall (1996)



+ Direction Finding capabilities



# Conclusions

- Increasing number of investigation using radio observations to probe the corona and Solar Wind (density fluctuations & turbulence, heating rates, speed profiles ...) !
- Both RPW & FIELDS will have capabilities to probe the corona down to  $\sim 1$  RS (Direction finding, similar frequency coverage)
- There is potentially a strong synergy between RPW, FIELDS & ground based radio observatories which requires preparation
- **Radio Scattering is important**